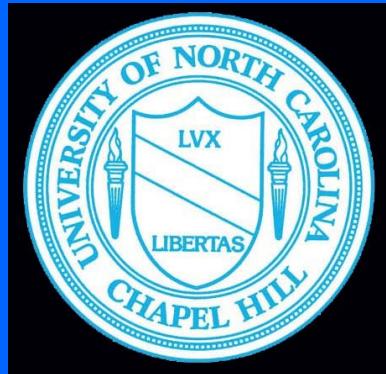


# *Particle/Nuclear Physics Seminar, BNL*

## Low-energy Few-Body Experiments

Why do we care about  $\vec{\text{polarization}}$  ?

Astrid  $\vec{\text{Imig}}$



University of North Carolina /  
Triangle Universities Nuclear Laboratory



04/18/2008



What is few-body physics ?



Why are we doing it ?



Why polarization physics ?



What do we need to measure ?



What can we learn from the effects in 2, 3, 4N-systems ?

What is few-body physics ?

Oldest Few-Body Problem :  
Sun-Earth-Moon

M.Gutzwiller, Rev. Mod. Phys. 70 (1998) 589

1889: Poincaré discovered mathematical chaos



„Few-Body Physics means to calculate observables for a system of few interacting particles **exactly** or **almost exactly**“

„→ solve the equations **without approximation** or  
as few **well controlled approximations** as possible.“

**Few** means the largest number of particles you can treat in this manner

## How Many is Few in Few-Nucleon Physics ?

### Discrete states (bound and excited states)

$A = 2, 3 \rightarrow$  exactly on PC

$A = 4 \rightarrow$  exactly on supercomputer

$A = 5, 6, \dots, 8 (9, 10) \rightarrow$  on supercomputer with GFMC

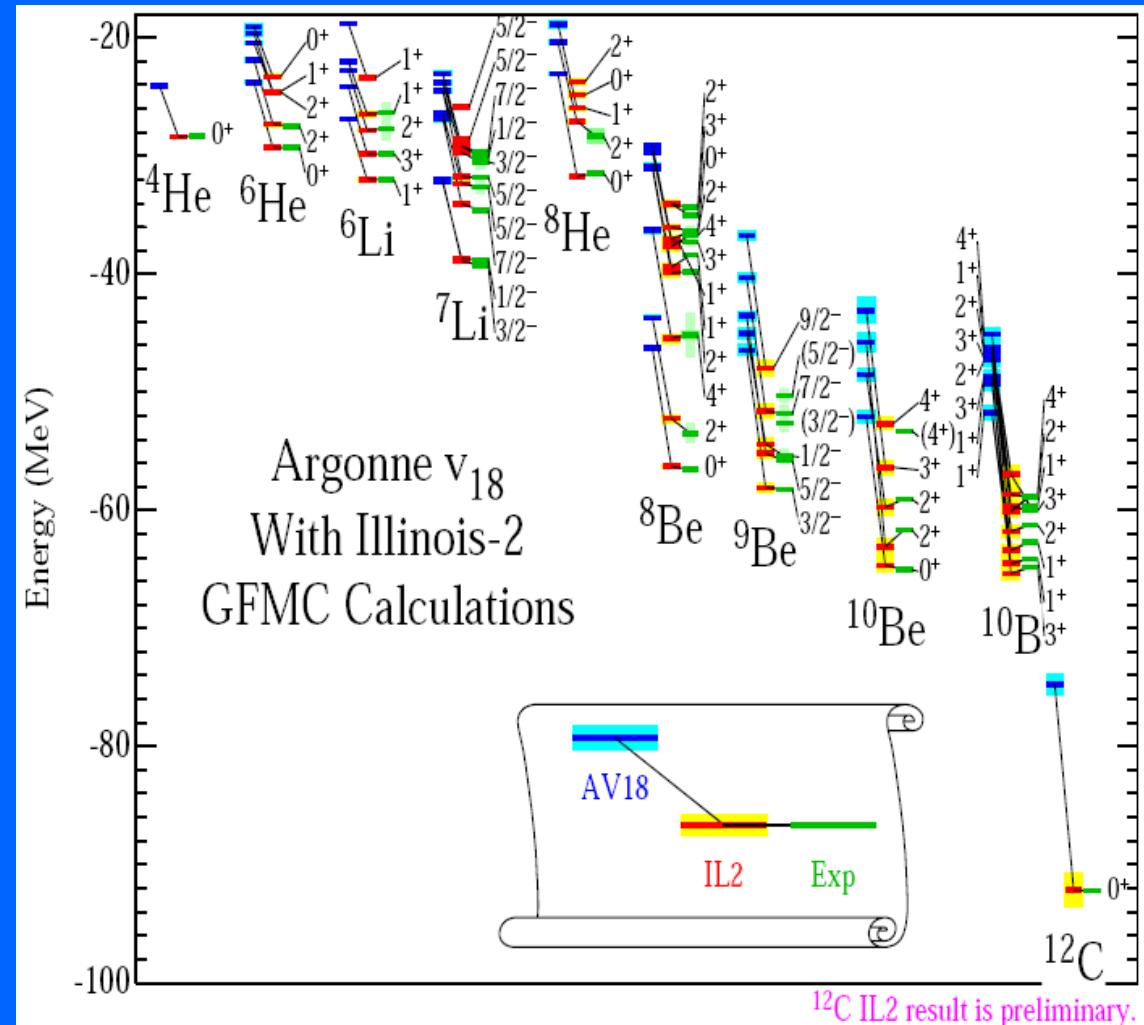
### Continuum states (scattering observables)

$A = 2 \rightarrow$  exactly on PC

$A = 3 \rightarrow$  exactly on supercomputer

$A = 4 \rightarrow$  approximately on supercomputer

A = 10 : 10000  
processor hours  
for one state



S. Pieper et al.,  
Nucl. Phys. A 751 (2005) 516



# *2N & 3N-system*

---

Why are we investigating this?

## Two Nucleon System

Wealth of  
NN scattering data



## Two Nucleon Force

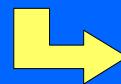
1935 Yukawa's  
Meson Theory

1990's

Realistic Modern NN Forces  
CD-Bonn, AV18, Nijmegen I,II,93  
reproduce 3500 exp. NN data  
with high precision,  $\chi^2 \sim 1$

## Three Nucleon System

1960 Faddeev Theory  
Exact Solution of 3N-System  
with NN forces



## Three Nucleon Force

Why are we investigating this?

3N system largest to be solved exactly

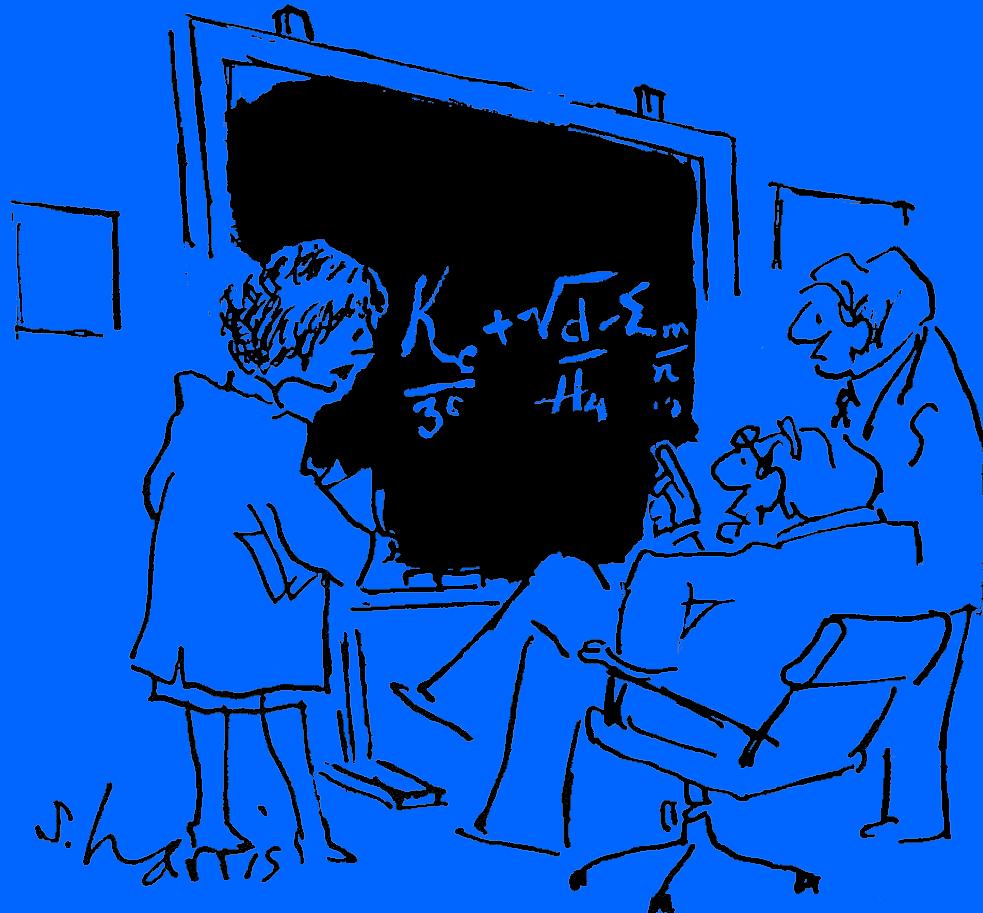
Smallest system where to learn about 3NFs

Potential- Modelle	$^3\text{H}$ -Bindungsenergie (MeV)
CD-Bonn	8,00
Argonne-18	7,62
Nijmegen II	7,62
CD-Bonn + TM	8,48
Argonne-18 + TM	8,48
Argonne-18 + TM99	8,45
Argonne-18 + Urb-IX	8,48
Experiment	8,48

2NF

3NF

# Why polarization physics ...



... somewhat special,  
but very instructive !



*... many observables*

---

Zero-Spin observable       $\sigma$

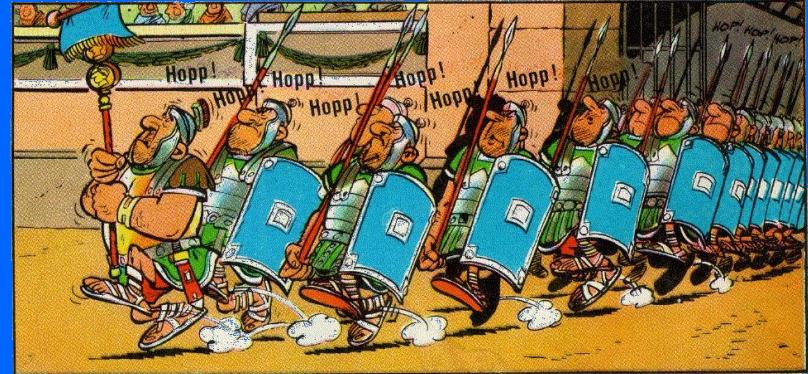
Spin 1 – Spin  $\frac{1}{2}$  transfer :

One-Spin observables       $A_y, A_{xz}, A_{zz}, A_{xx-yy}$

Two-Spin observables       $K_y^{y'}, K_x^{x'}, K_z^{x'}, K_z^{z'}, K_x^{z'}$   
 $K_{xy}^{x'}, K_{yz}^{x'}, K_{xz}^{y'}, K_{xx-yy}^{y'}, K_{zz}^{y'}, K_{xy}^{z'}, K_{yz}^{z'}$

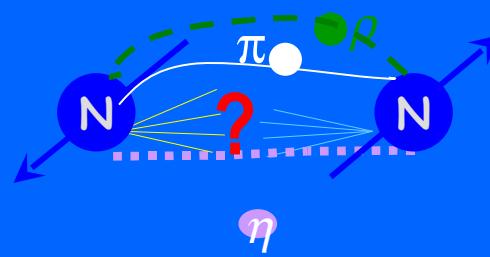


unpolarized



polarized

Considerably more information  
about nuclear forces

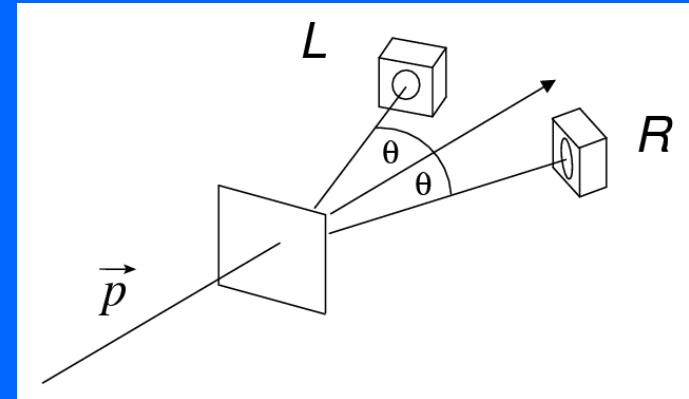


## Spin ½ : Polarization determination

Setup with Two-Detector-System:

$$L = n \cdot N_A \cdot \Delta\Omega_L \cdot E \cdot \left(\frac{d\sigma}{d\Omega}\right)_0 \cdot (1 + p_y A_y)$$

$$R = n \cdot N_A \cdot \Delta\Omega_R \cdot E \cdot \left(\frac{d\sigma}{d\Omega}\right)_0 \cdot (1 - p_y A_y)$$



Polarization states:  $\uparrow, \downarrow, *$

Left-Right-Asymmetry:

$$\varepsilon = \sqrt{\frac{L^\uparrow \cdot R^\downarrow}{L^\downarrow \cdot R^\uparrow}}$$

→ Vector polarization:  
Deuterons:

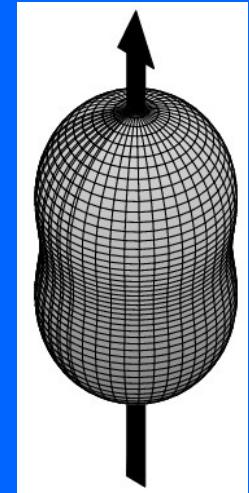
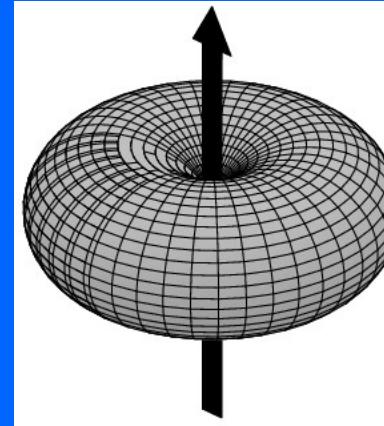
$$p_y = \frac{2}{3} \cdot \frac{1}{A_y} \cdot \frac{\varepsilon - 1}{\varepsilon + 1}$$

## Spin 1 : Polarization determination

Setup with 5-Detector-System

Polarization states:  $N_0, N_+, N_-$

With  $N_0 + N_+ + N_- = 1$



$$N_0=1, N_+=N_-=0$$

$$N_+=1, \\ N_0=N_-=0$$

Vector polarization:

$$p_z = \frac{N_+ - N_-}{N_+ + N_0 + N_-}$$

Tensor polarization:

$$p_{zz} = \frac{N_+ + N_- - 2N_0}{N_+ + N_0 + N_-}$$

Essential for polarization experiments:

- ◆ Polarized beams
- ◆ Polarimeters to determine the polarization

Beams are polarized by nuclear reaction  
or

Polarized ion sources

W. Haeberli, Ann. Rev. Nucl. Sci. 17 (1967) 373

Cologne:



Lambshift Source

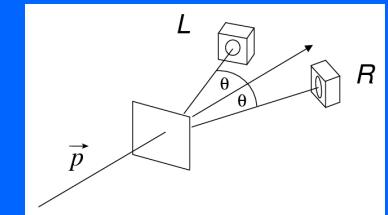
V. Bechtold, NIM 150 (1978) 407

## Beam polarimeters

$^3\text{He}(\text{d},\text{p})^4\text{He}$

$^4\text{He}(\text{p},\text{p})^4\text{He}$

$^4\text{He}(\text{d},\text{d})^4\text{He}$



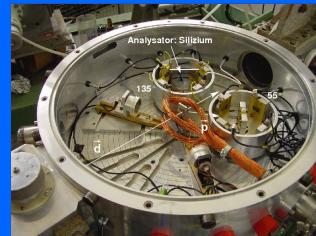
## Transfer polarimeters

$^4\text{He}(\text{p},\text{p})^4\text{He}$

$^{12}\text{C}(\text{p},\text{p})^{12}\text{C}$

$^{28}\text{Si}(\text{p},\text{p})^{28}\text{Si}$

$^3\text{He}(\text{d},\text{p})^4\text{He}$

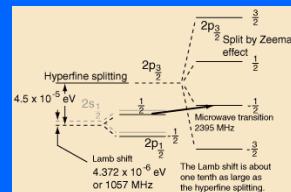


L. Sydow et al., Nucl. Phys. A567 (1994) 55

A.I. et al., Phys. Rev. C 73 (2006) 024001

L. Sydow, S. Vohl et al., Few-Body Systems 25 (1998) 133

## Lambshift polarimeter



R. Engels et al.,  
Rev. Sci. Instr. 74 (2003) 4607



# Cologne FN tandem accelerator facility: scattering setups

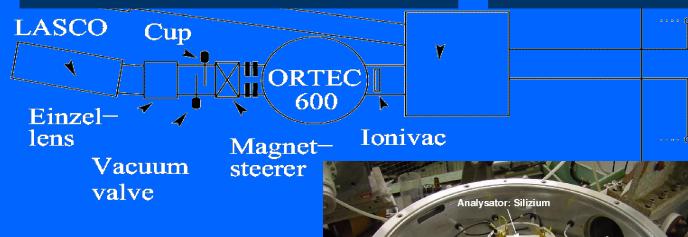


Polarized  
Ion Source  
**LASCO**  
 $p$  +  
vector &  
tensor  $d$



$E \times B$   
Spin  
Rotator

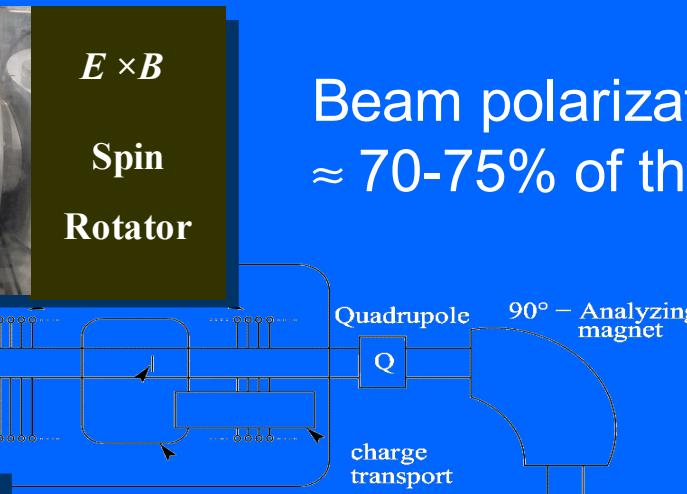
Beam polarizations:  
 $\approx 70\text{-}75\%$  of theo. values



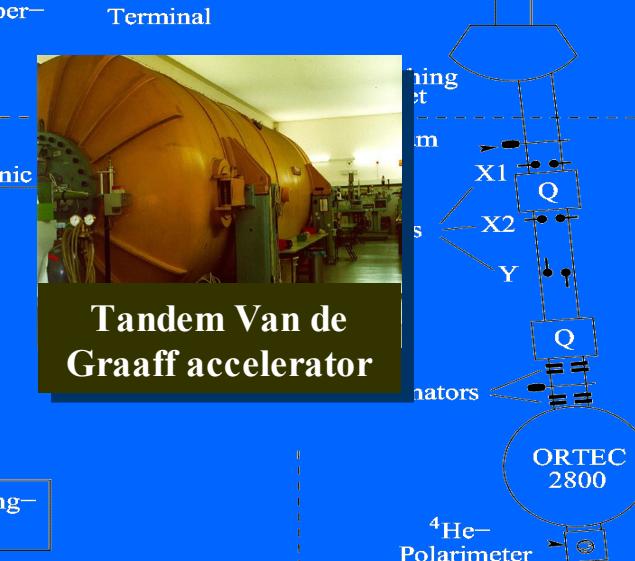
Accelerator hall



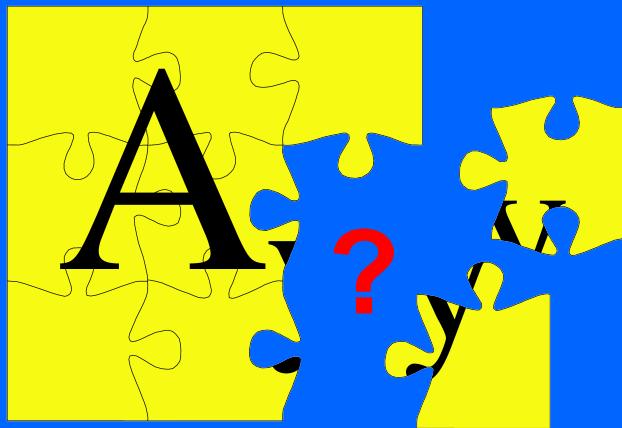
Setup for the low-energy experiments



Tandem Van de  
Graaff accelerator

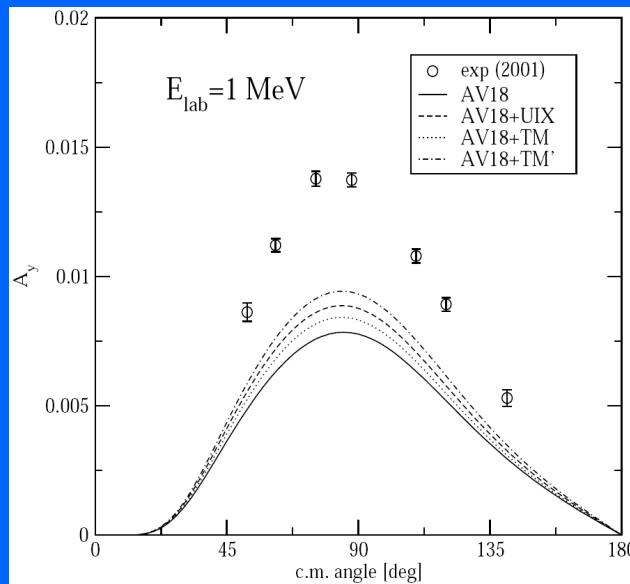


Beam Line  
Polarimeters



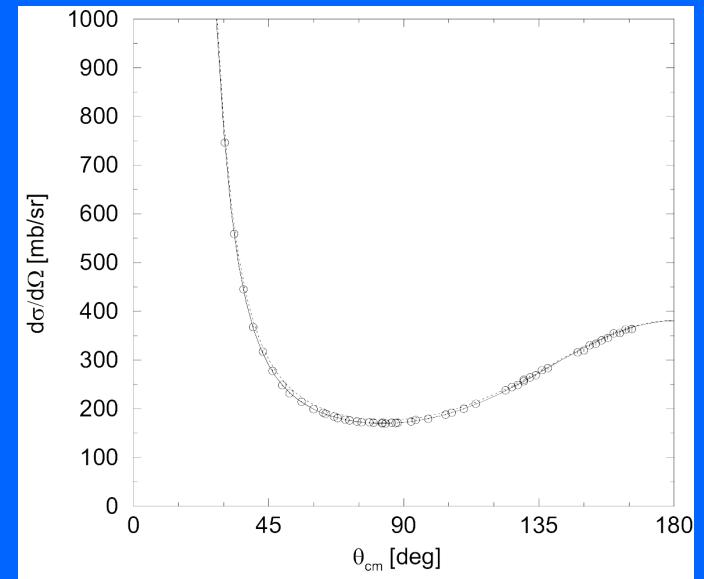
@ low energies :

elastic  $pd$  scattering



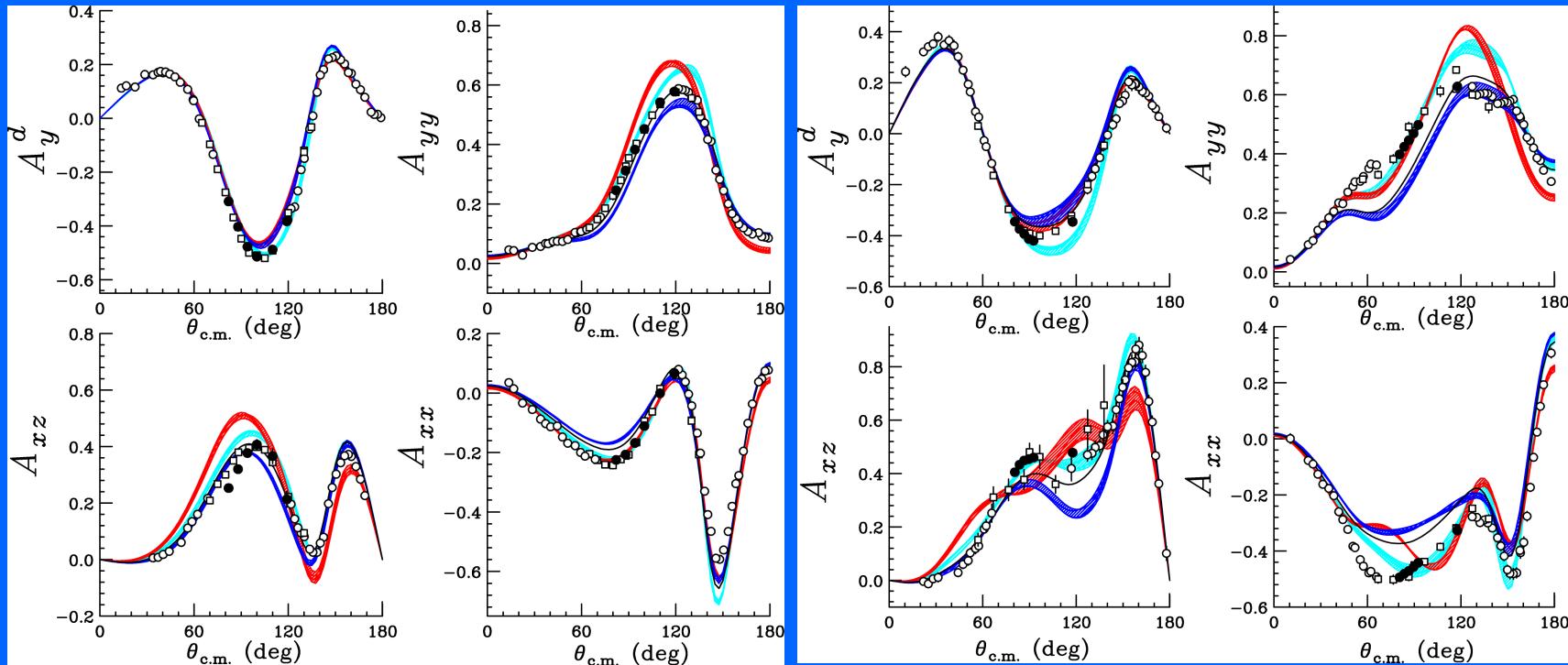
H. Arenhövel et al.,  
nucl-th/0412039

A. Kievsky et al., Phys. Rev. C 63 (2001) 024005



$d - p$  at 70 MeV/nucleon @ RIKEN

$d - p$  at 135 MeV/nucleon



NN Forces Only

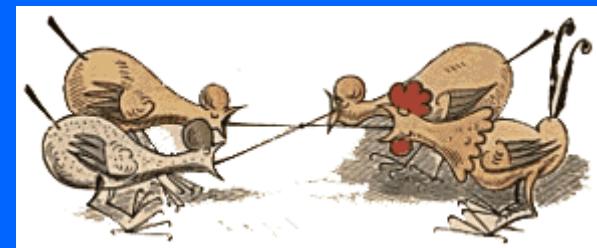
NN + Tucson Melbourne (TM) 3NF

NN + TM'(99) 3NF – closer to chiral symmetry

K. Sekiguchi et al., PRC 65 (2002) 034003

K. Sekiguchi et al., PRC 70 (2004)  
014001

Many experimental challenges in determination of PTCs  
but also theoretically...

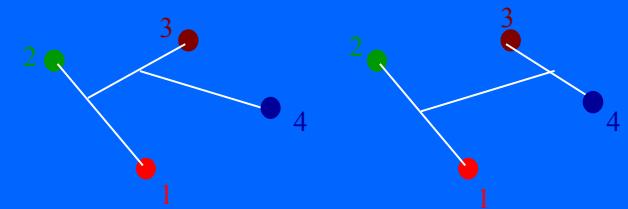


„Max und Moritz“ by W. Busch

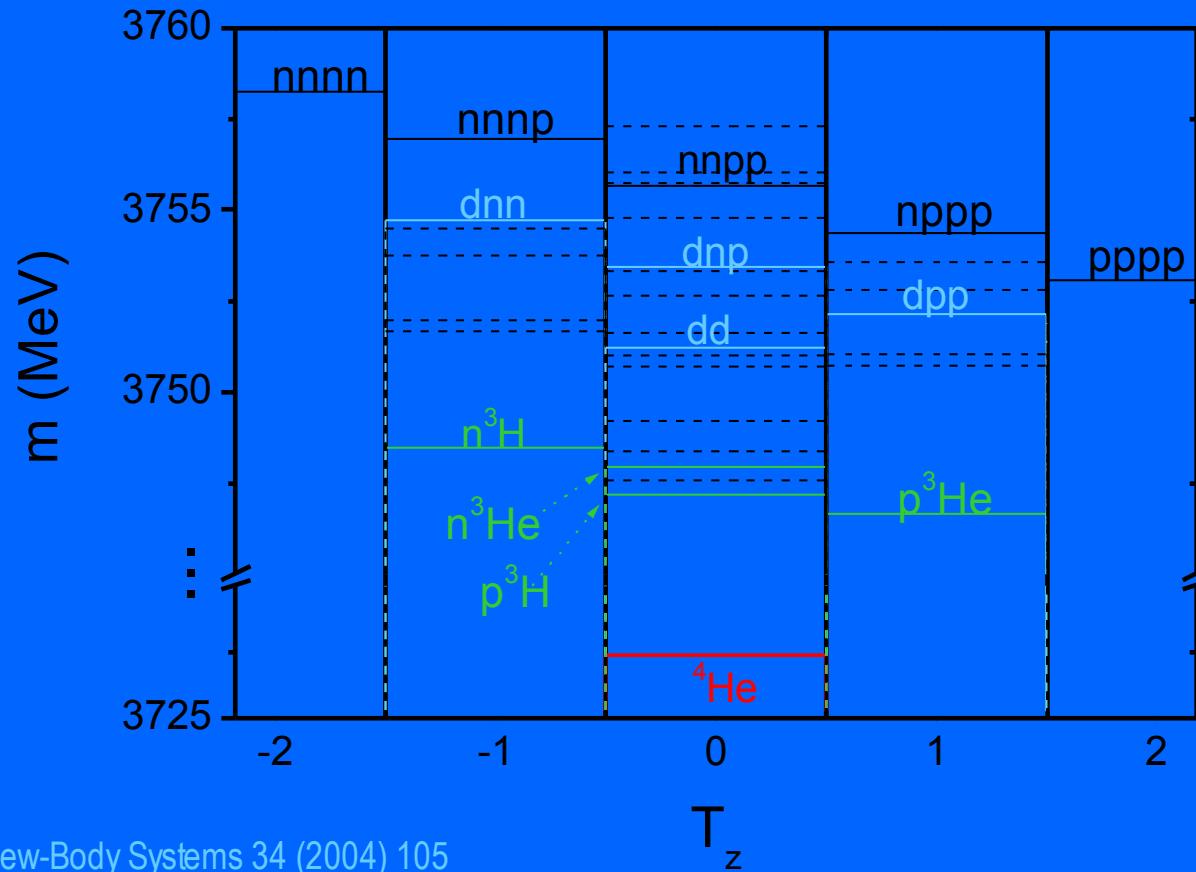
A = 4 system as laboratory

Test other dynamical aspects of NN potentials than A = 2, 3

New, yet not solved, problems



## Complexity of the 4N-system



Few-Body reactions of astrophysical relevance:

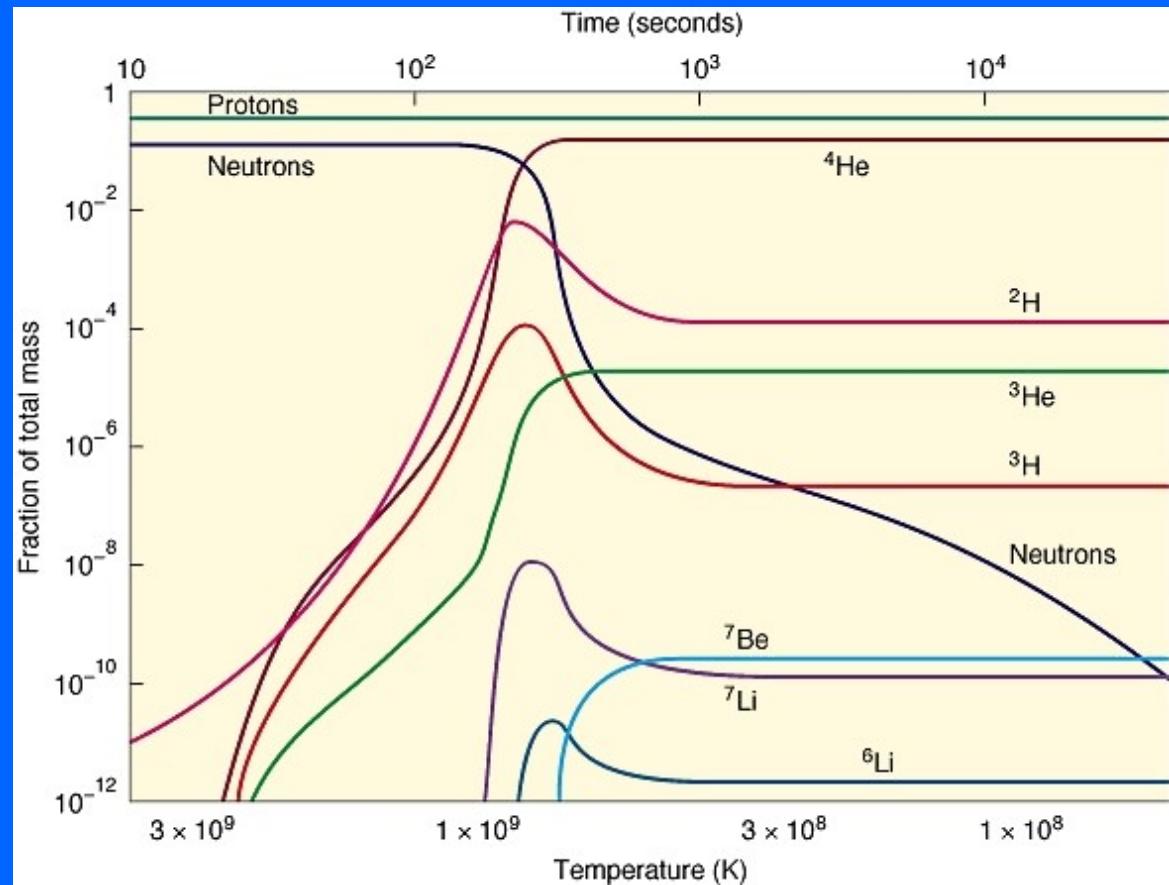


Especially:



# Big Bang - Nucleosynthesis

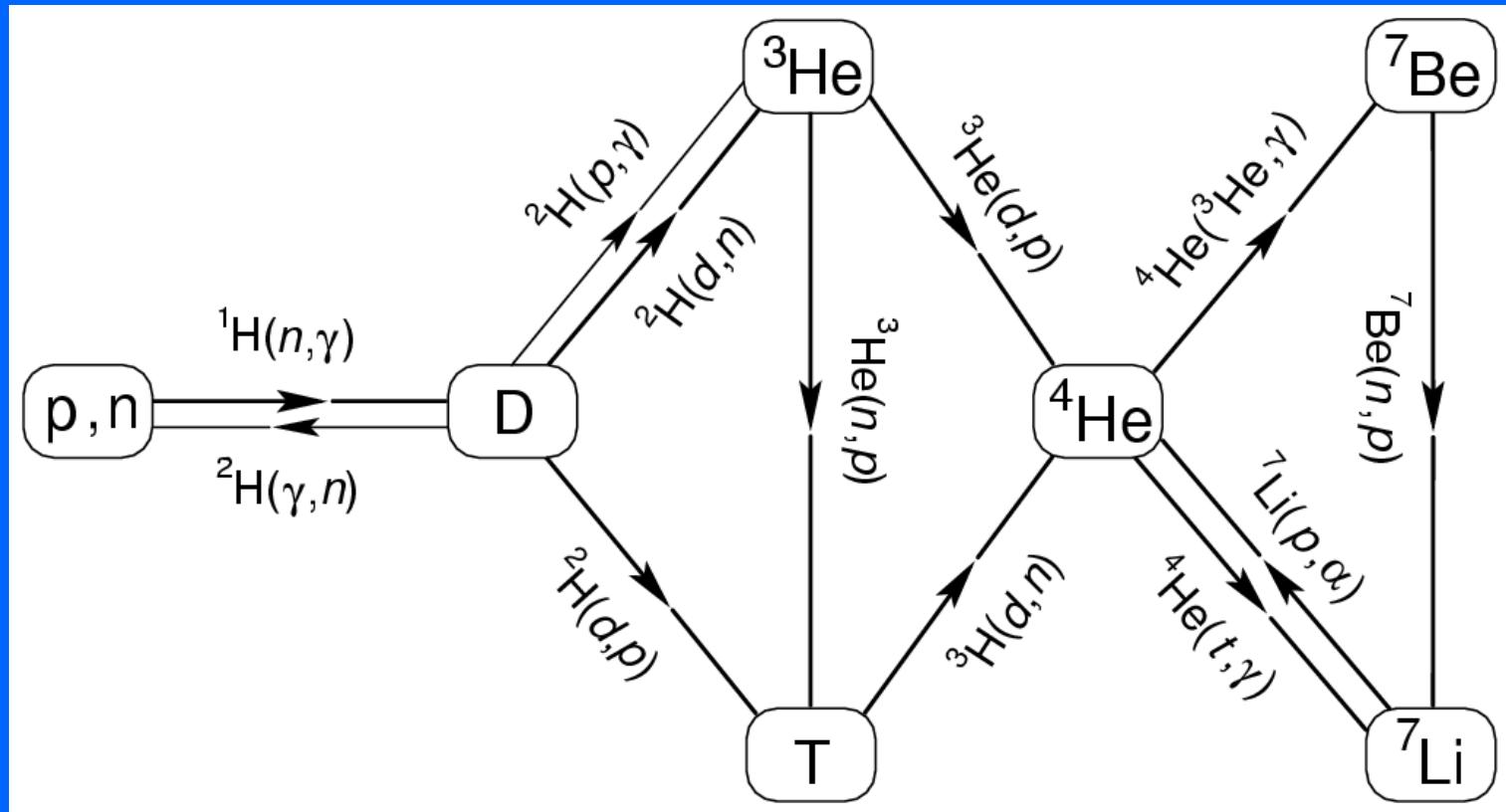
Deuterium is  
„cosmic baryometer“



Astrophys. J. 148 (1967) 3

# Big Bang - Nucleosynthesis

primordial key reactions





$$\begin{aligned} Q &= 17.58 \text{ MeV} \\ Q &= 18.35 \text{ MeV} \end{aligned}$$

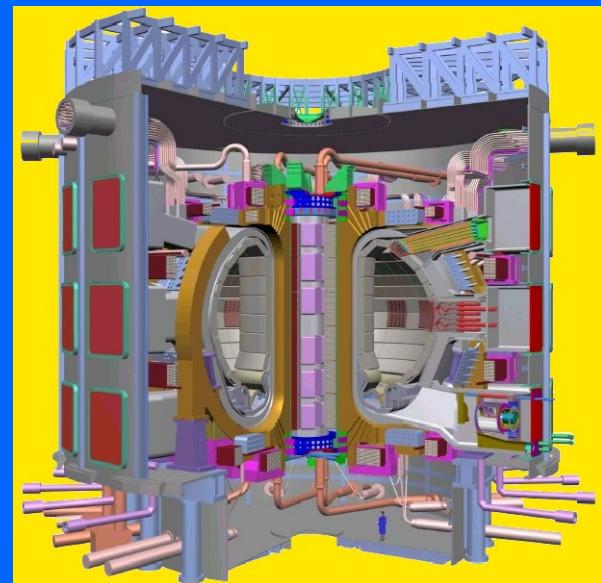
Fusion reactor ITER, France

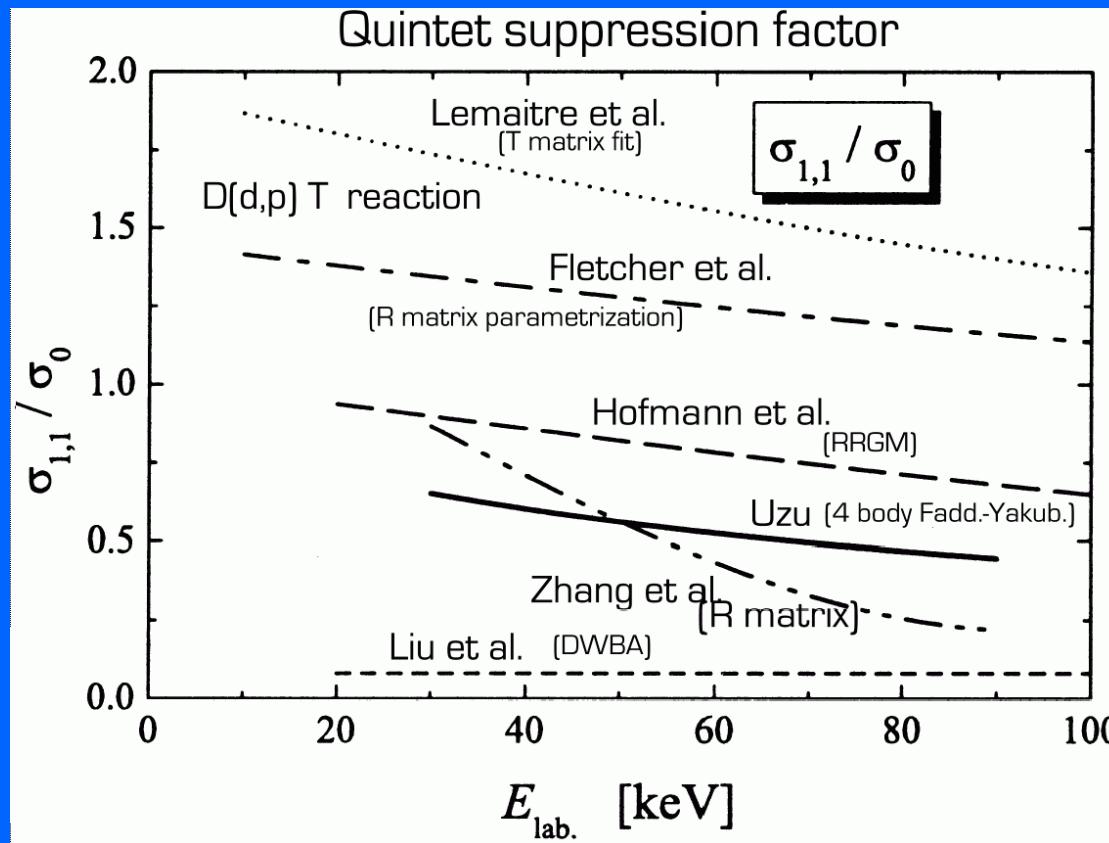
**but :**



with polarized particles:

- increase of the reaction rate
- decrease of the neutron production
- reduction of costs



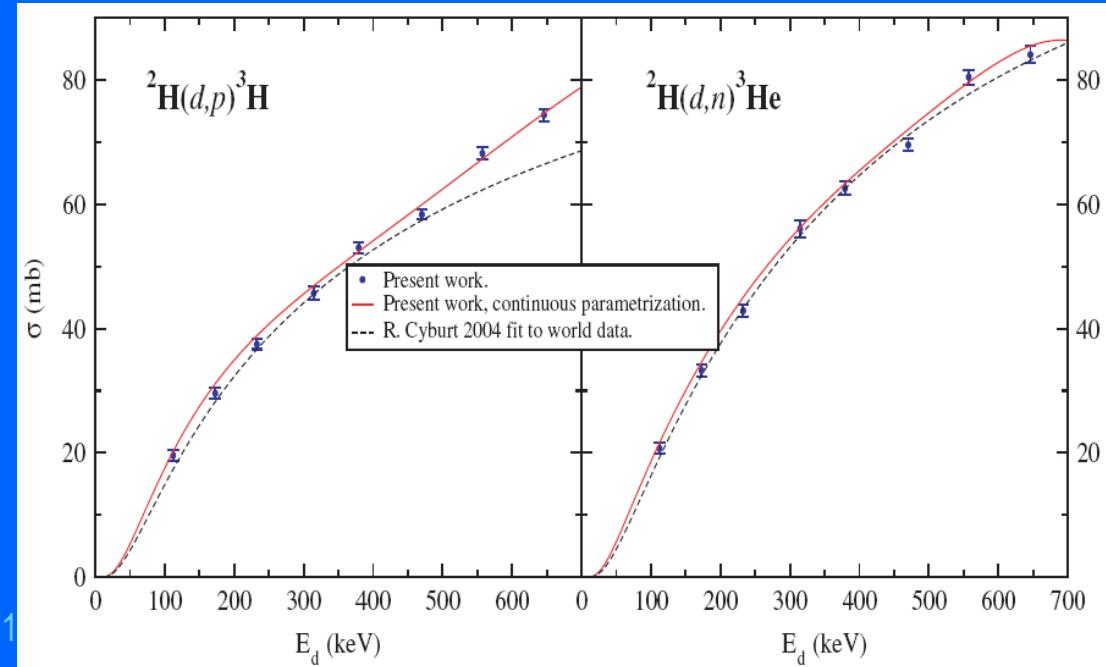


H. Paetz gen. Schieck et al., Phys. Lett. B 276 (1992) 290  
 S. Lemaitre et al., Ann. Physik 2 (1993) 503



Important: cross sections

Precision measurements @ TUNL



D. Leonard et al., PRC 73 (2006) 045801

One-spin observables: Analyzing powers

Many experiments @ very low energies

B. Becker et al., Few-Body Systems 13 (1992) 19

Until 2001:

No two-spin observables  $\leq$  6 MeV



# ASTRID @ 58 keV

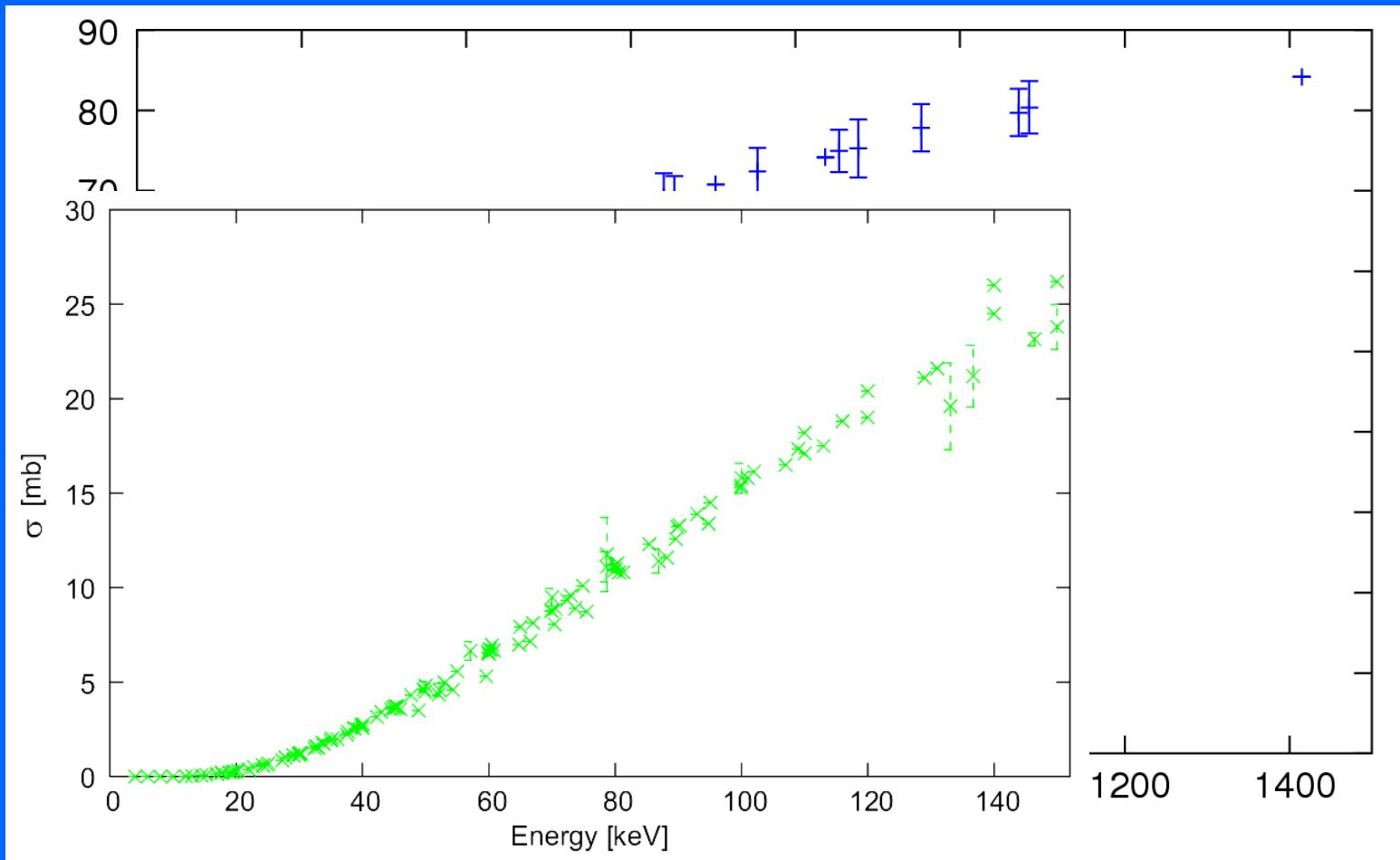
A measurement of Spin-TRansfer coefficients  
in the fusion reaction  $D(\vec{d}, \vec{p})^3H$

A.I. et al., Phys. Rev. C 73 (2006) 024001



# Cross section

## D(d,p)T : Zero-Spin Observable





## Two-Spin Observables ?



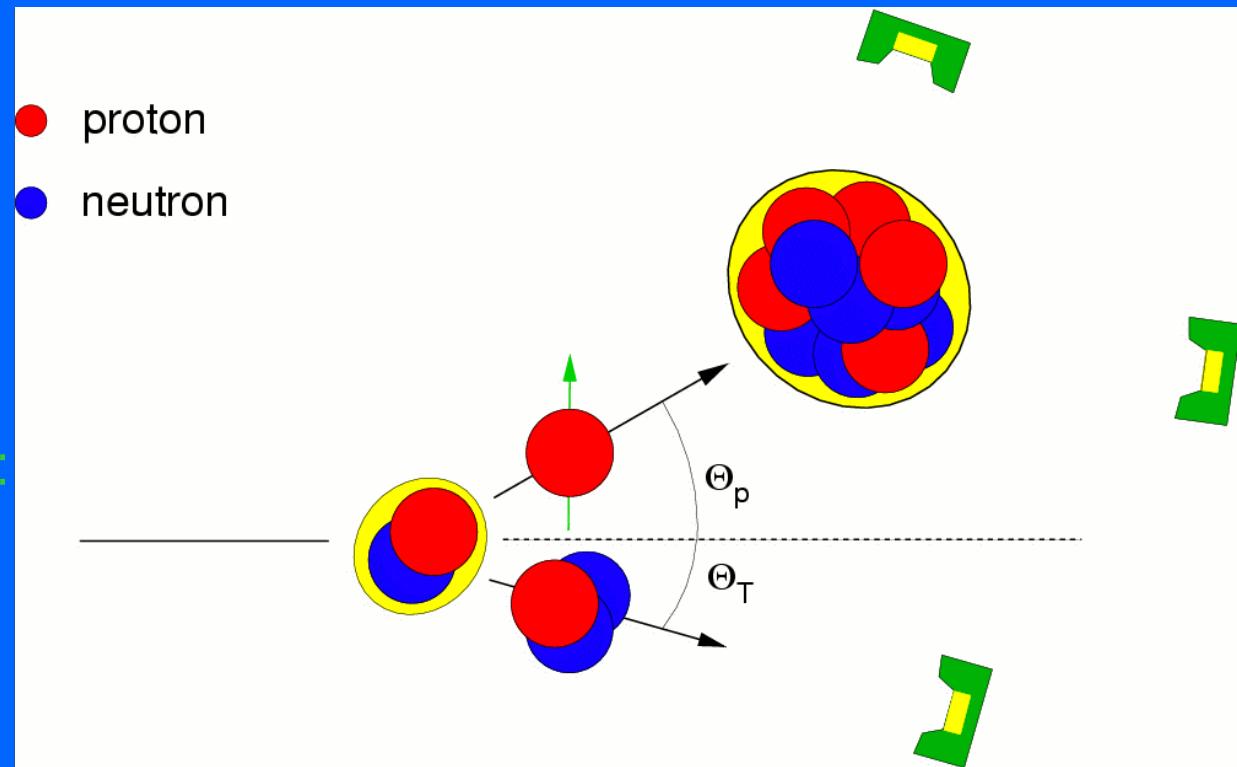
## Two-spin observables: Polarization transfer coefficients (PTCs)

Spin correlation:

$$\vec{A}(\vec{b},c)D$$

Polarization transfer:

$$A(\vec{b},\vec{c})D$$





→ low count rate

Remedy:

- thick targets
- large solid angles of detectors
- entrance aperture in front of polarimeter

but :

- attenuation of  $A_y$



## transfer polarimeter

Analyzer depends on energy range

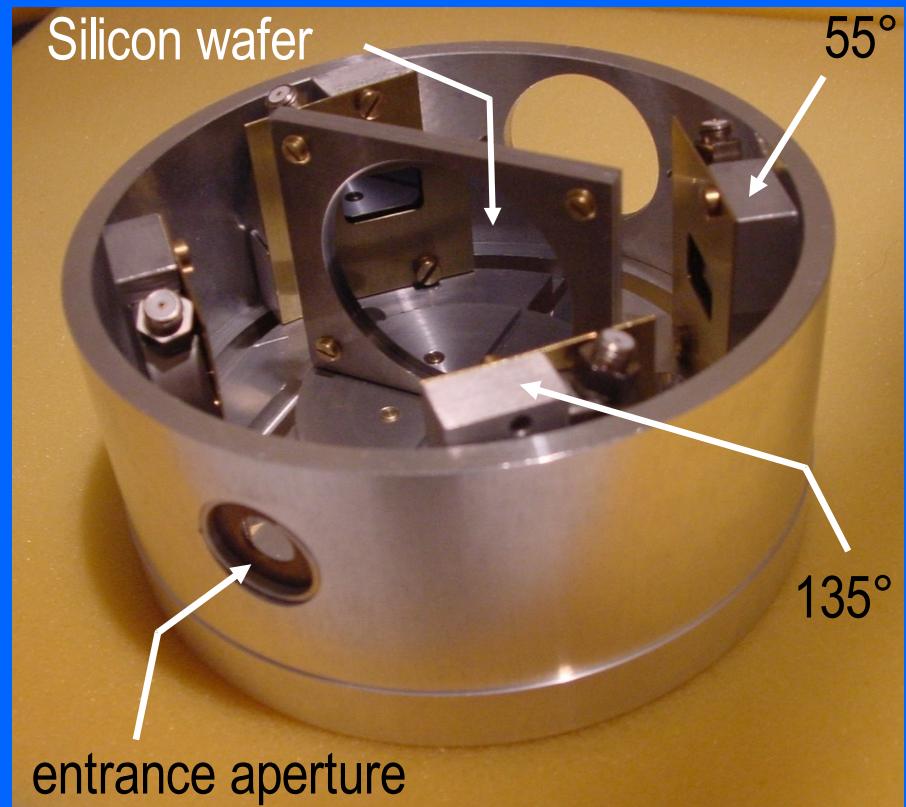
$$\text{figure of merit : } A_y^2 \cdot \left( \frac{d\sigma}{d\Omega} \right)_0$$

protons @  $E_p = 3 - 4 \text{ MeV}$ :



detectors :  $\theta = 55^\circ$

$\theta = 135^\circ$



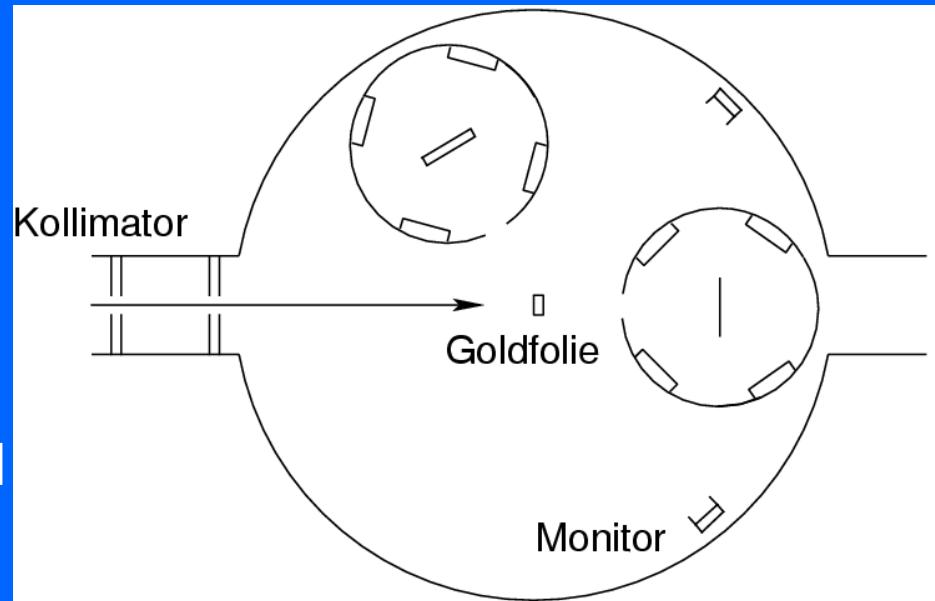


proton energy range  
according to

$D(\vec{d}, \vec{p})^3\text{H}$  @  $E_d = 58 \text{ keV}$  :

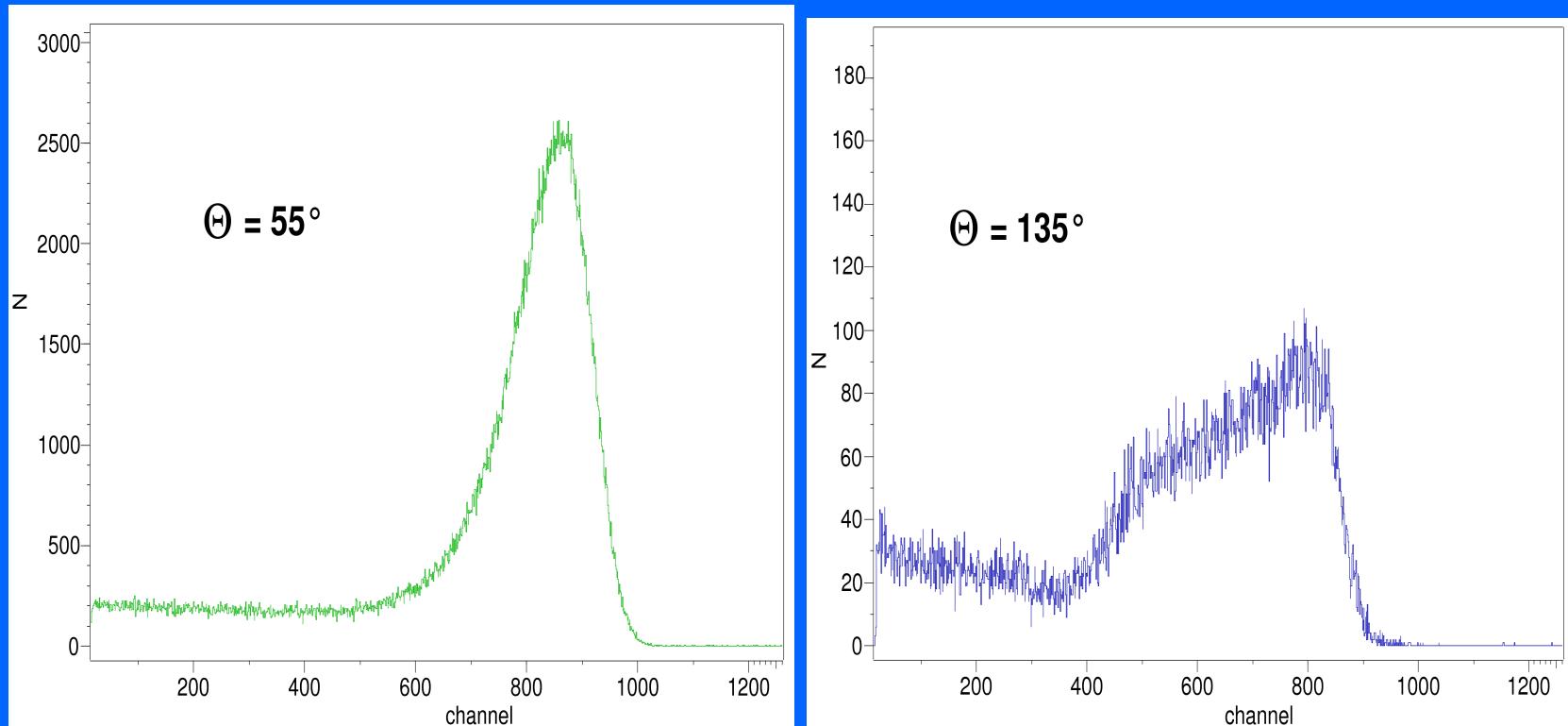
$3.18 \text{ MeV} \leq E_p \leq 3.31 \text{ MeV}$

proton beam was directly injected



simulating the analyzing reaction:

- spreading the beam by gold foil
- straggling for covering whole entrance aperture

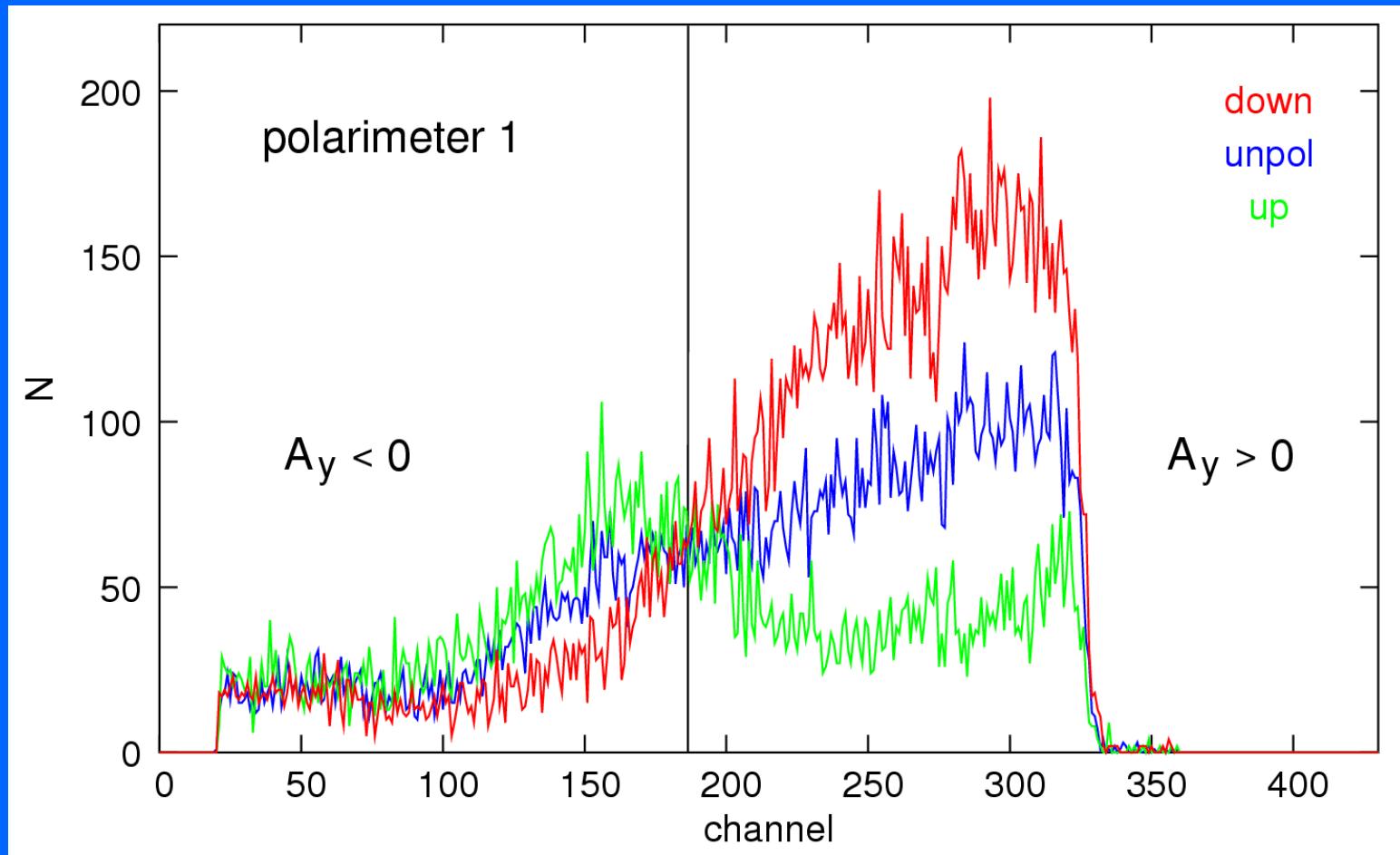


forward

backward



# calibration





# Double scattering

Results of the calibration:

Polarimeter 1       $A_y = -0.278 \pm 0.002$

Polarimeter 2       $A_y = -0.151 \pm 0.002$

Efficiency of the polarimeters

$$3-4 \cdot 10^{-5}$$

Other polarimeters :

A.I. (2001)       $^{28}\text{Si}$        $3.8 \cdot 10^{-6}$       Diplomarbeit

Katabuchi (2001)       $^{28}\text{Si}$        $9.7 \cdot 10^{-6}$       Phys. Rev. C 64 (2001) 047601

Sydow (1992)       $^{12}\text{C}$        $3.4 \cdot 10^{-5}$

Vohl (1995)       $^3\text{He}$        $1.4 \cdot 10^{-6}$



Targets : polarizer reaction



high deuterium loss under bombardment

**high energy deposition** on the target area

→ insufficient thermal stability at low energy

energy loss:

$$E_d = 50 \text{ keV}$$

$$-\frac{dE}{dx} = 750 \frac{\text{keV}}{\text{mg} \cdot \text{cm}^{-2}}$$

alternative:  $\text{TiD}_2$

$$-\frac{dE}{dx} = 330 \frac{\text{keV}}{\text{mg} \cdot \text{cm}^{-2}}$$

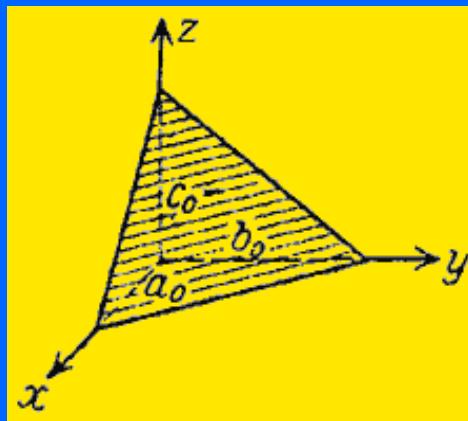
Nucl. Instr. & Meth. 8 (1960) 173

cooling trap with liquid nitrogen

→ to avoid carbon build up



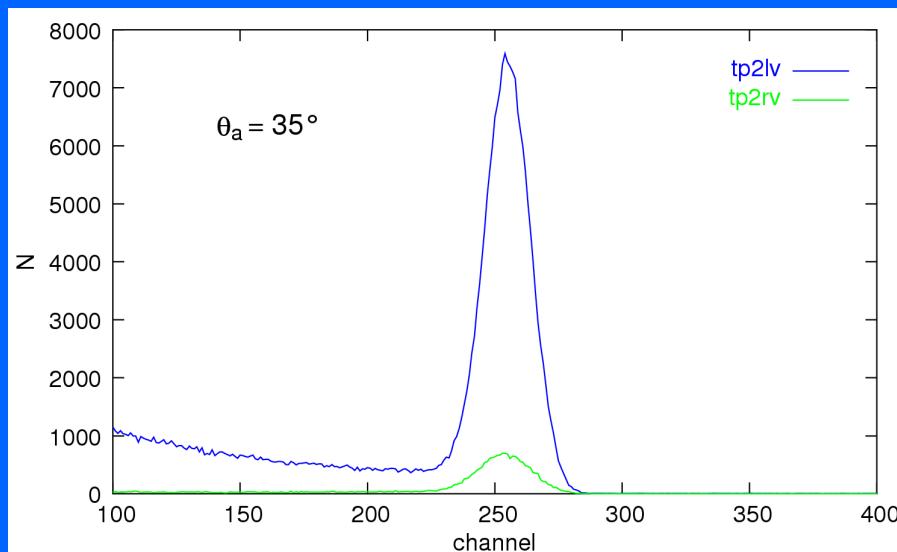
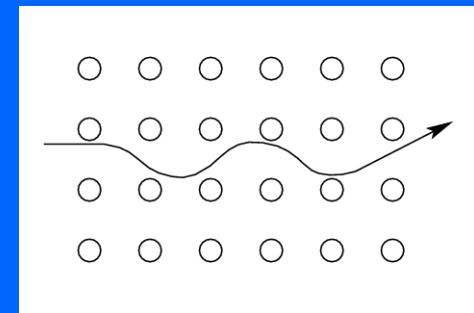
# Double scattering



Targets : analyzer reaction

Effects of the crystal structure in Silicon

→ Channeling

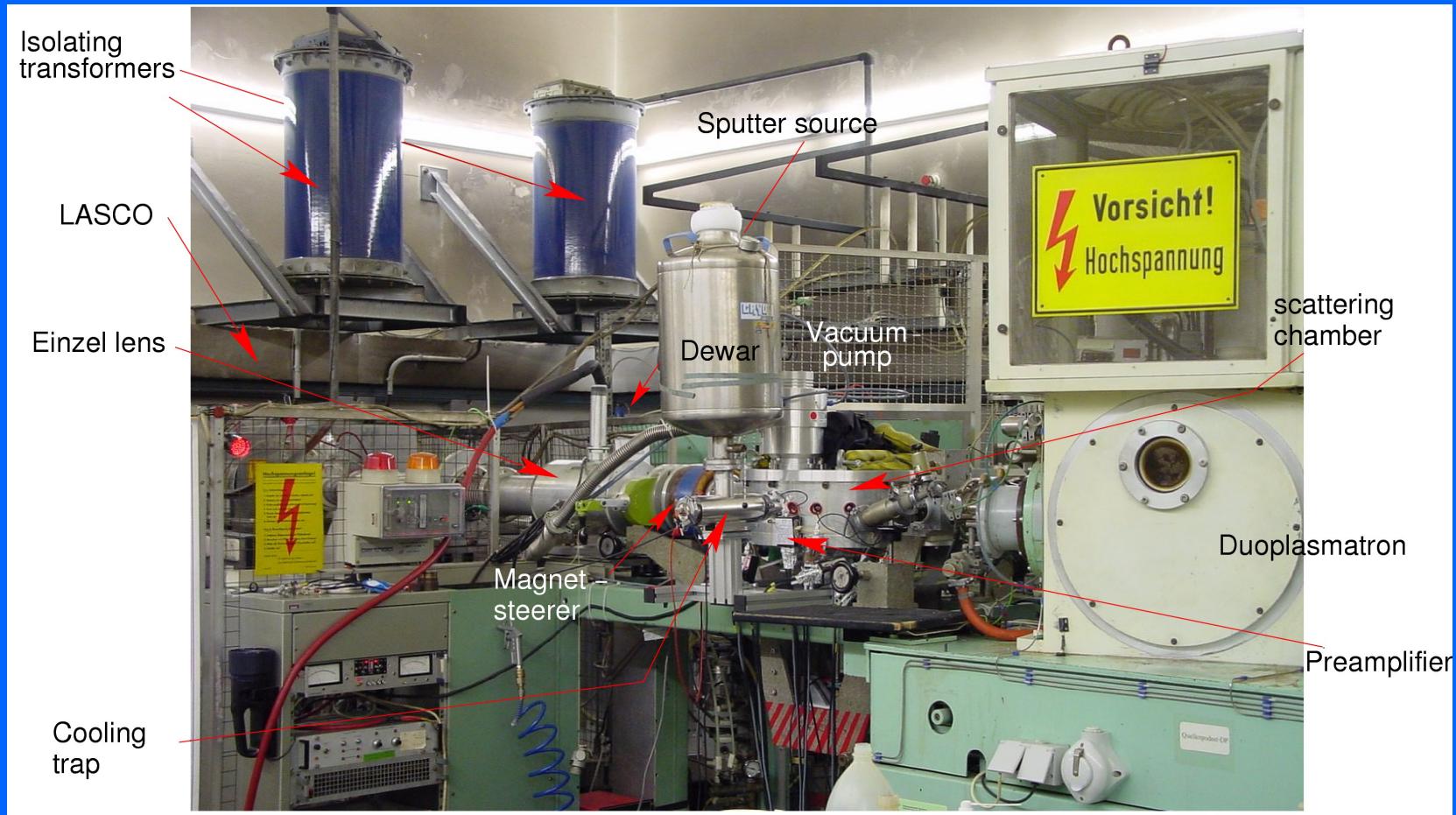


Difference only θ<sub>a</sub> = 10°

Unpolarized beam –  
should be symmetric!

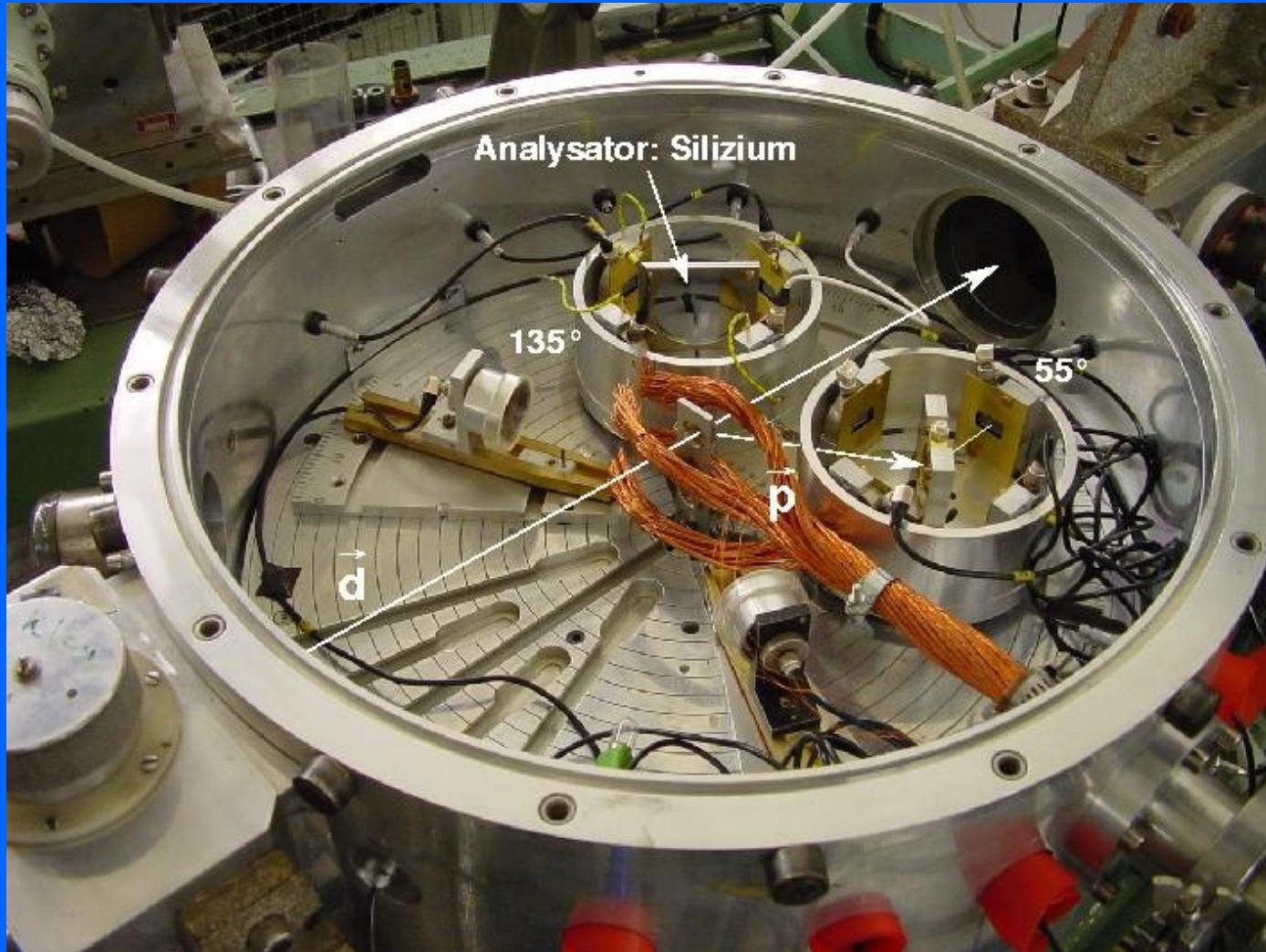


# Double scattering





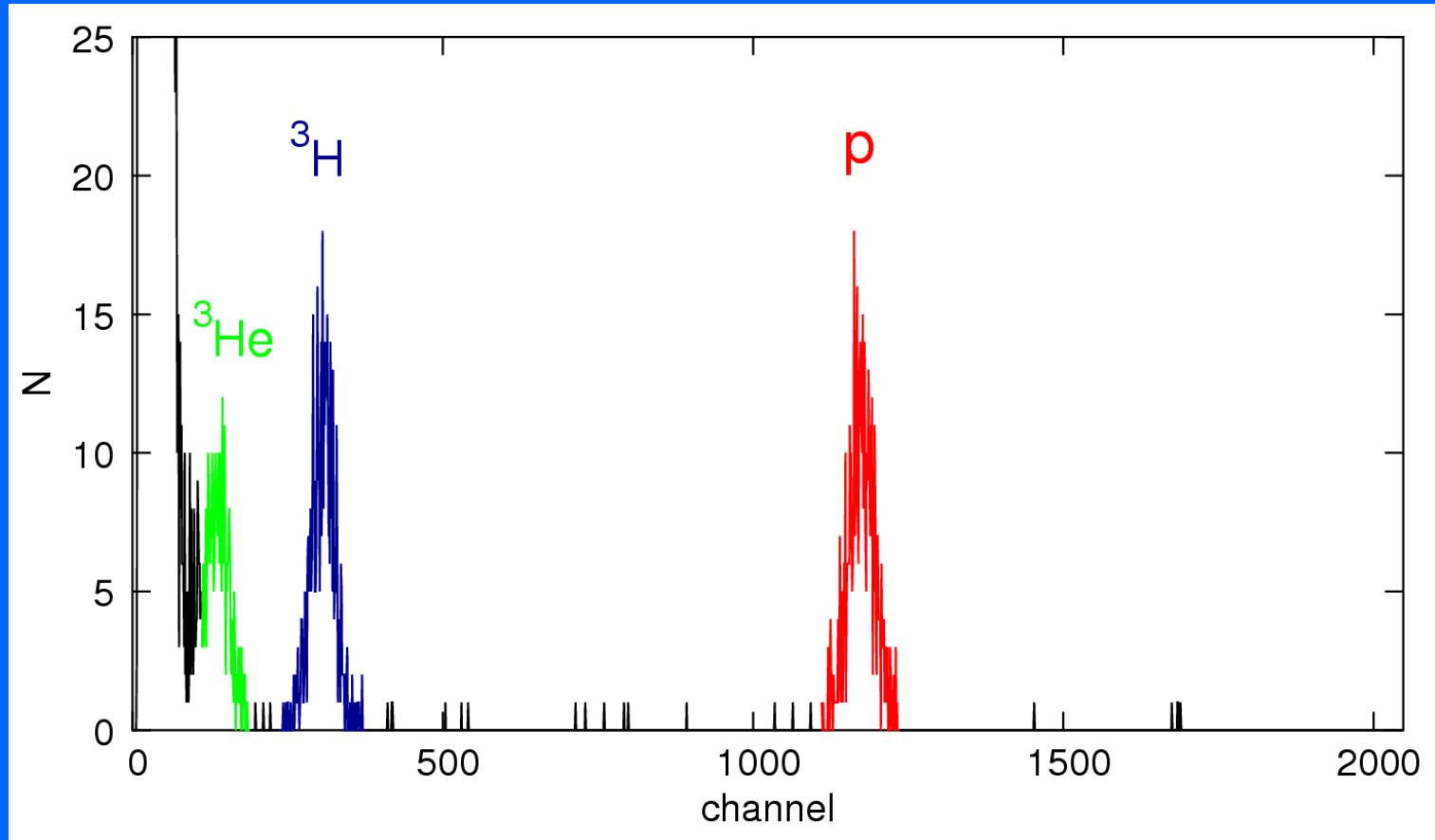
# Double scattering





# Double scattering

spectrum after first reaction



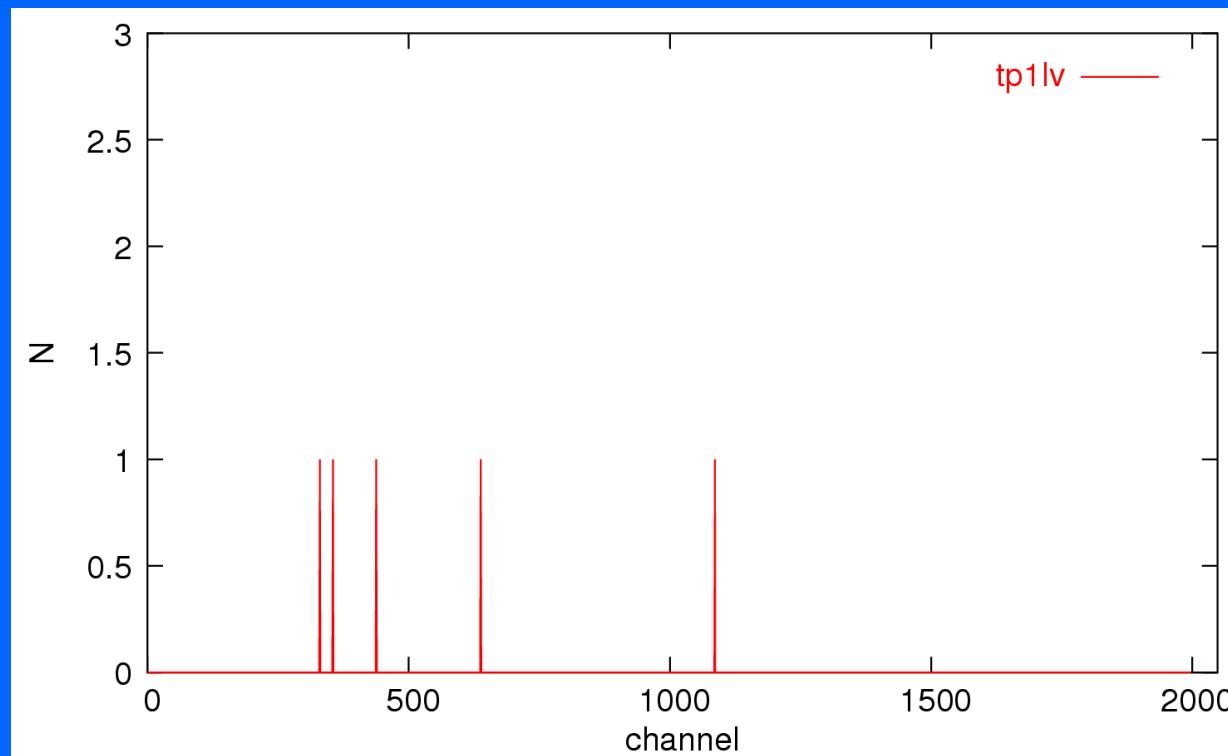
separation of  ${}^3\text{H}$  and  ${}^3\text{He}$  by Hostaphan foil



# Double scattering

spectrum after second reaction

Where are the protons ?



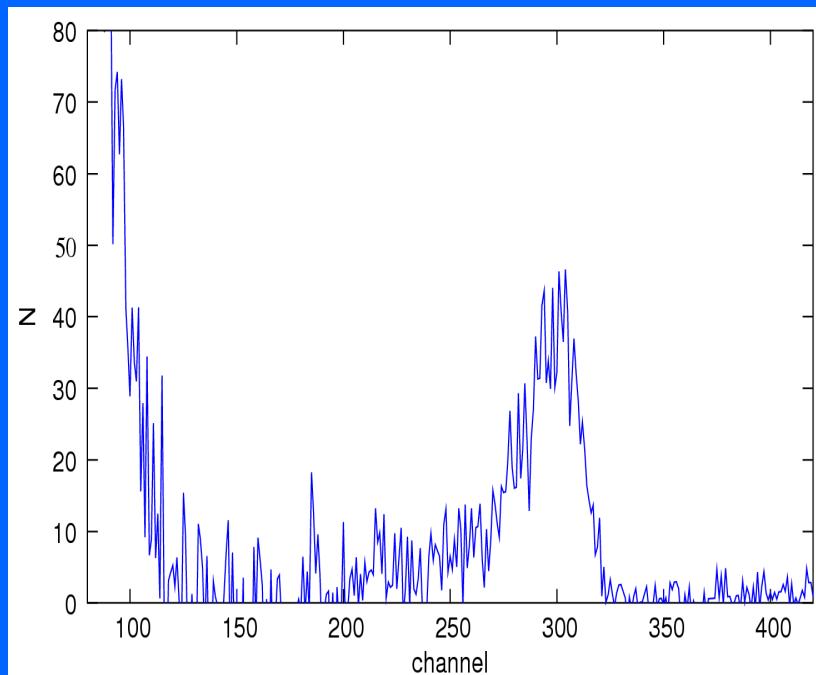


# Double scattering

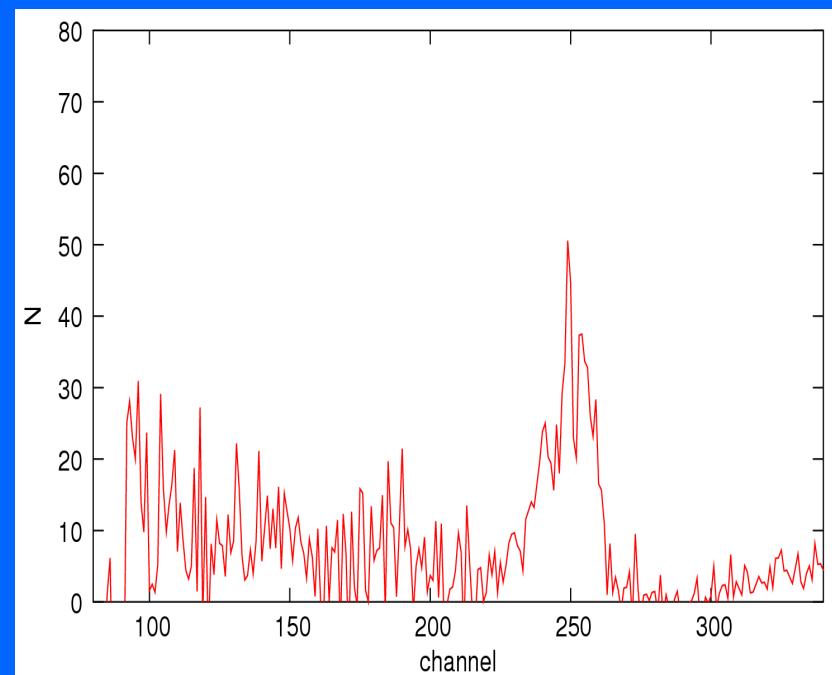
spectrum after second reaction

sum spectra after background reduction

polarimeter 1



polarimeter 2





## Determination of PTC

pure vector polarization :

$$K_y^{y'} = \frac{p_y' \left( 1 + \frac{3}{2} p_y A_y \right) - P^{y'}}{\frac{3}{2} p_y}$$

$$K_y^{y'} = -0.126 \pm 0.186$$



## comparison: experiment – experiment

Katabuchi

incident energy :

$E_d = 90 \text{ keV}, \theta = 0^\circ$

mean reaction energy :

$$\bar{E}_R = 68 \text{ keV}$$

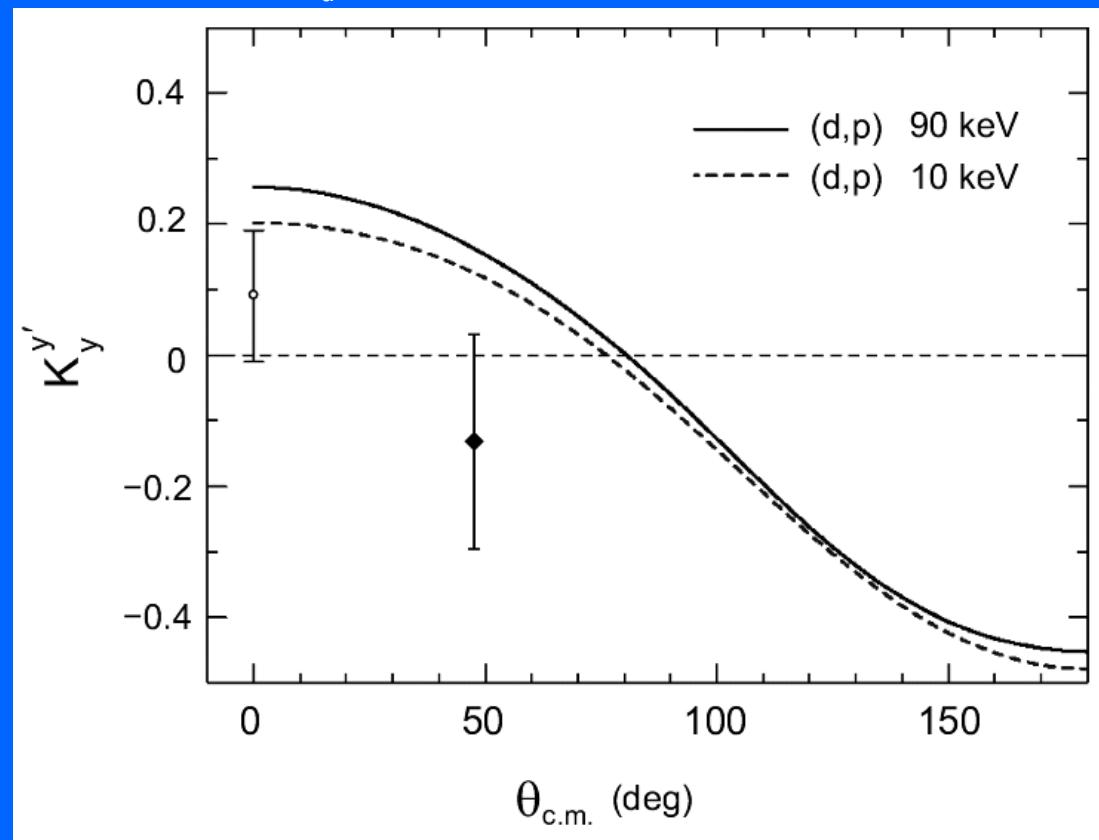


A.I.

$$E_d = 78 \text{ keV}$$

$$\bar{E}_R = 58 \text{ keV}$$

$$\theta = 45^\circ$$



Fit over world data set with reaction matrix elements



# Analysis

## comparison: experiment – theory

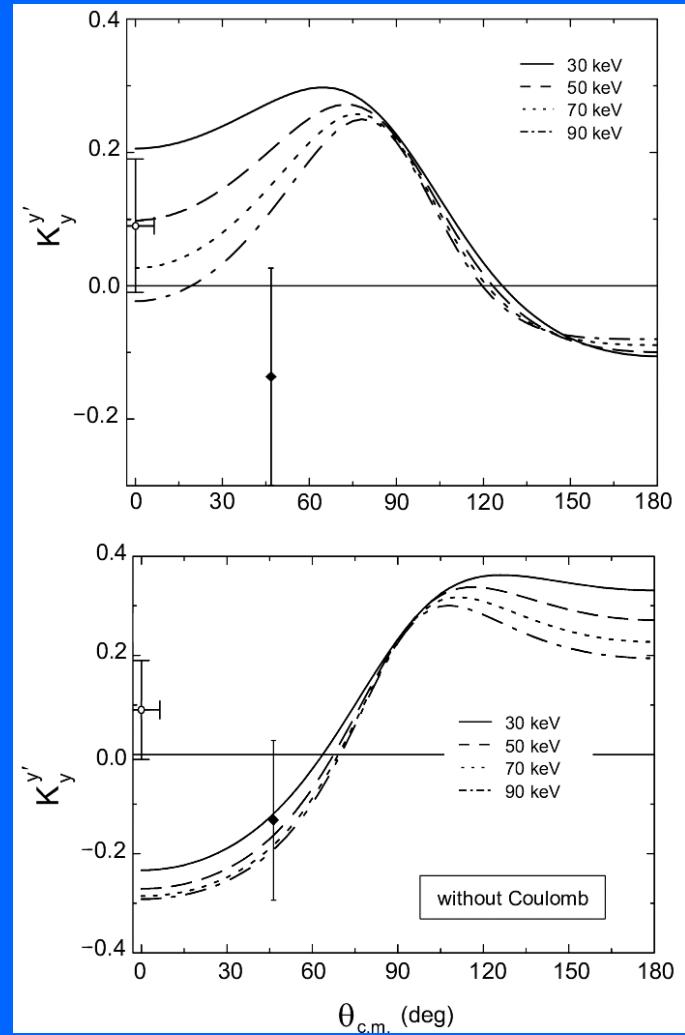
A.I. et al., Phys. Rev. C 73 (2006) 024001

T. Katauchi et al., Phys. Rev. C 64 (2001) 047601

calculations by Uzu  
with and without Coulomb modifications

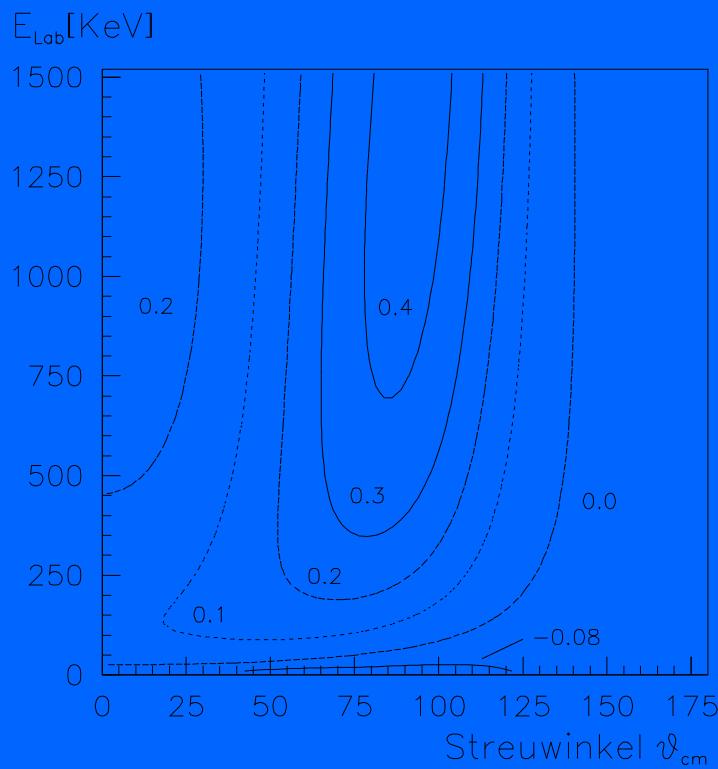
E. Uzu, arXiv: nucl-th/0210026 (2002)

Which could be the correct one ?

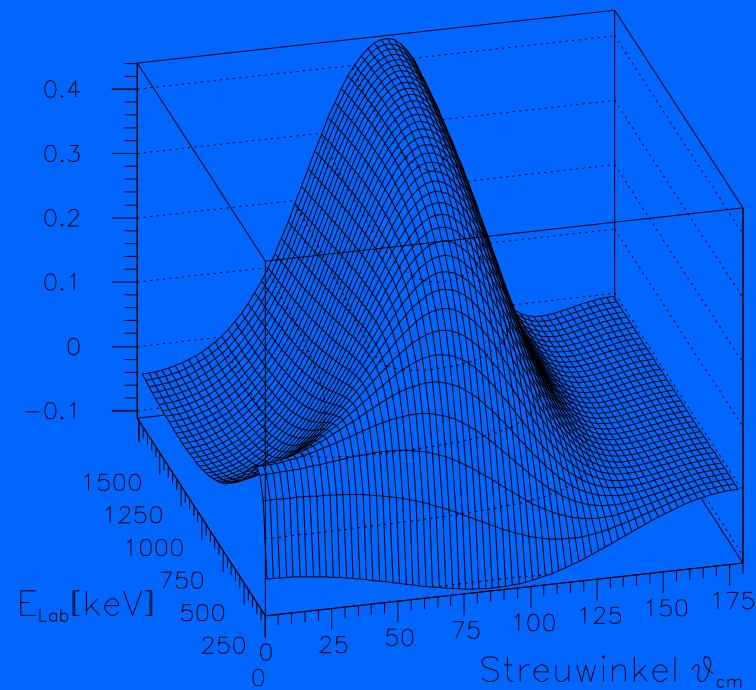




Reaction-matrix analysis → predictions for all observables  
New calculations are coming



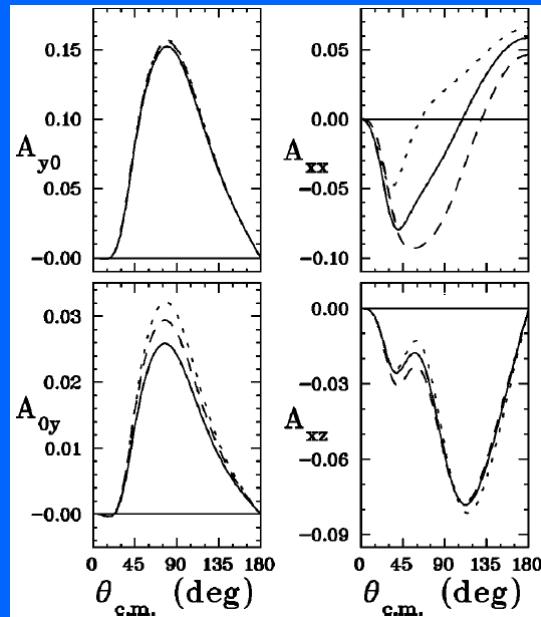
O. Geiger et al., Nucl. Phys. A 586 (1995) 140



## More Two-spin observables: Spin correlation parameters



T. Daniels et al., PhD thesis, in preparation



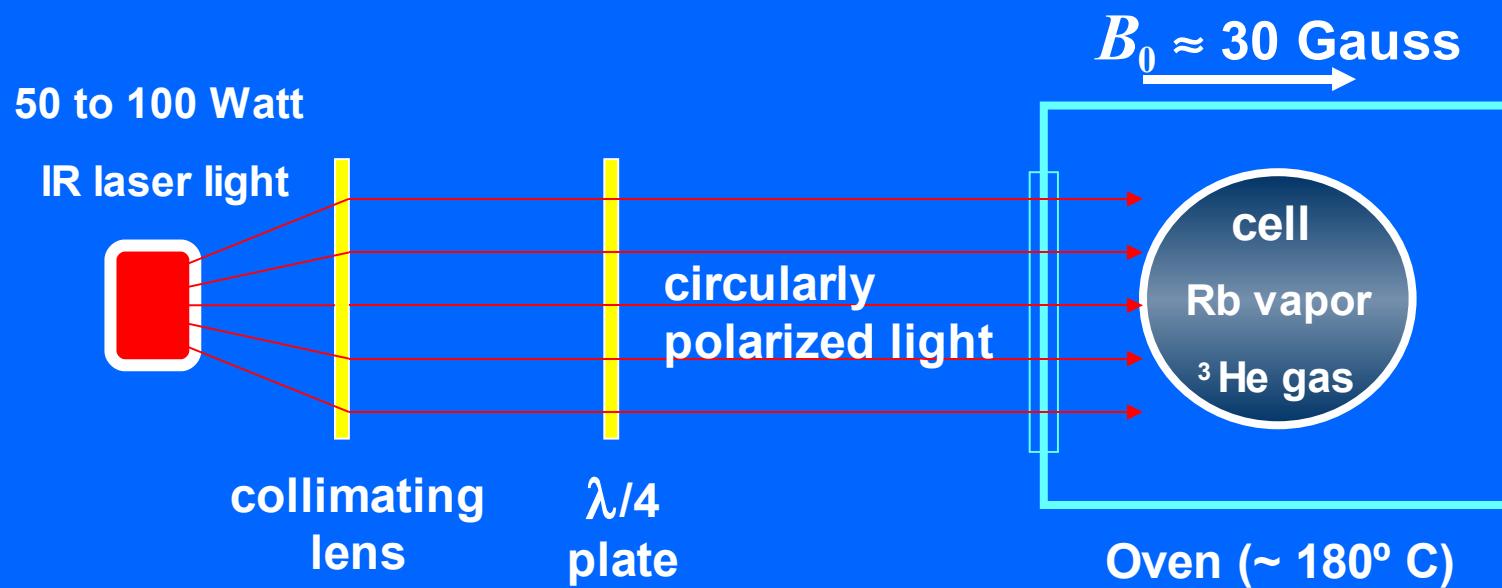
Phase-shift analysis below  
12 MeV gives two solutions

E. George, L. Knutson, PRC 67, 027001 (2003)

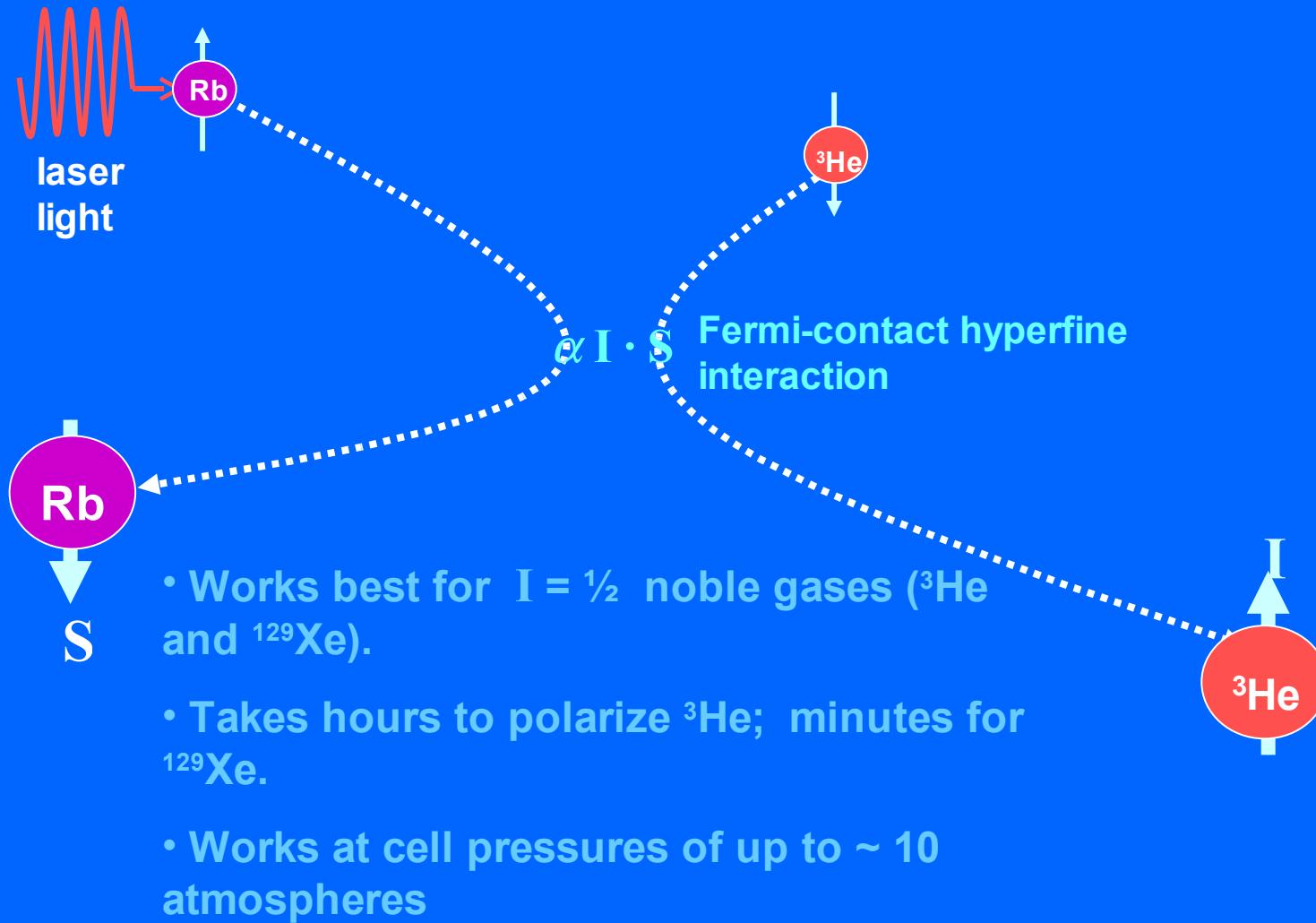
Two-spin observables  
needed to clarify !

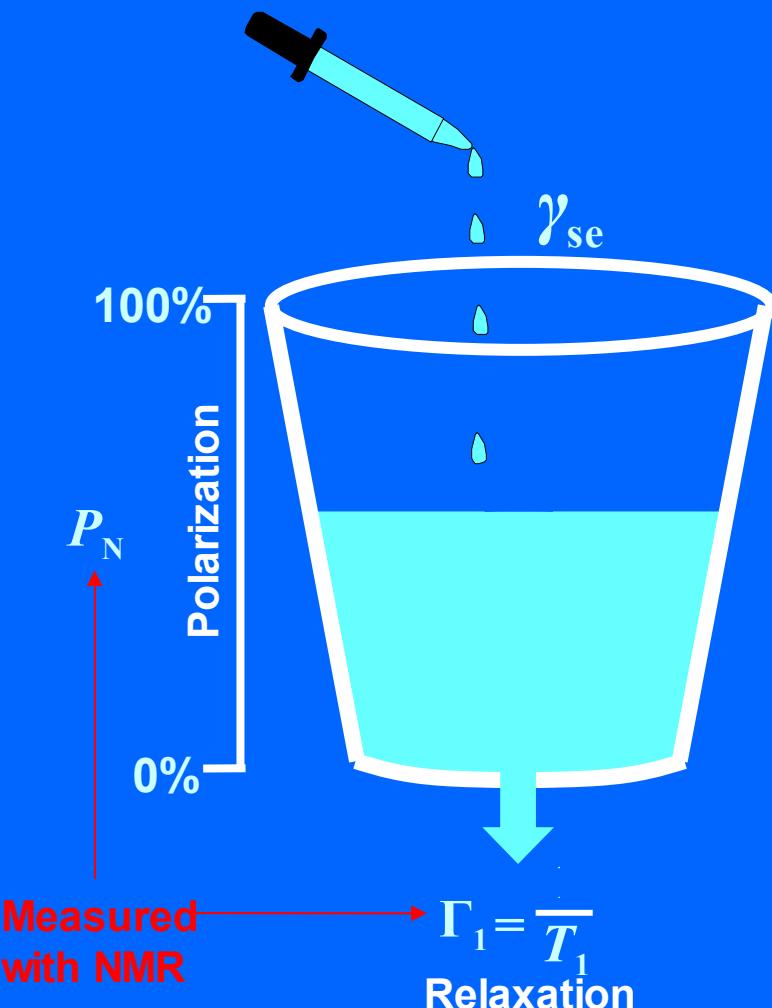
Additional challenges with polarized  $^3\text{He}$  target ...

## Schematic of method



T. Walker, W. Happer, Rev. Mod. Phys. 69, 629 (1997)





$$\gamma_{\text{se}} = [\text{Rb}] \langle \sigma_{\text{se}} v \rangle$$

$$P_{{}^3\text{He}} = \langle P_{\text{Rb}} \rangle \left( \frac{\gamma_{\text{se}}}{\gamma_{\text{se}} + \Gamma_1} \right)$$

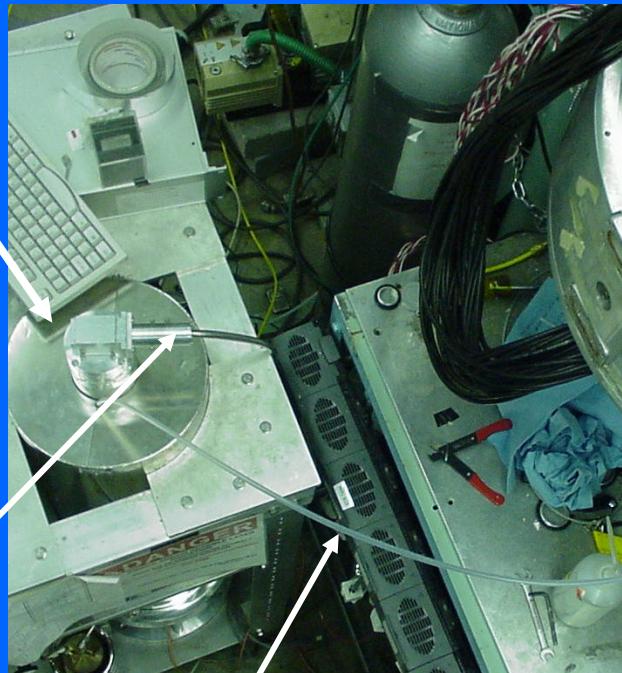
$$\frac{1}{T_1} = \frac{1}{T_B} + \frac{1}{T_{\text{gas}}} + \frac{1}{T_{\text{wall}}}$$

$T_1$  is *usually* dominated by wall interactions...

# Polarized $^3\text{He}$ Targetry at TUNL

SEOP  
Polarizer  
(8 ATM OP  
cell inside)

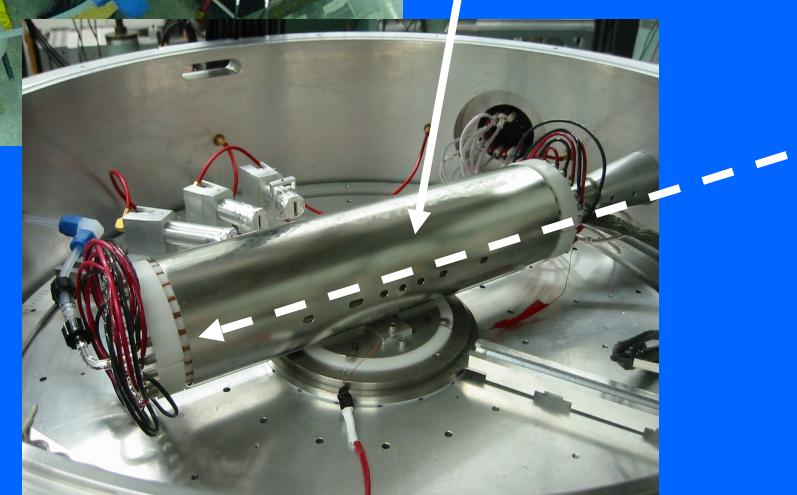
60 W fiber-  
coupled  
diode laser



Polarized  $^3\text{He}$   
dispense tube

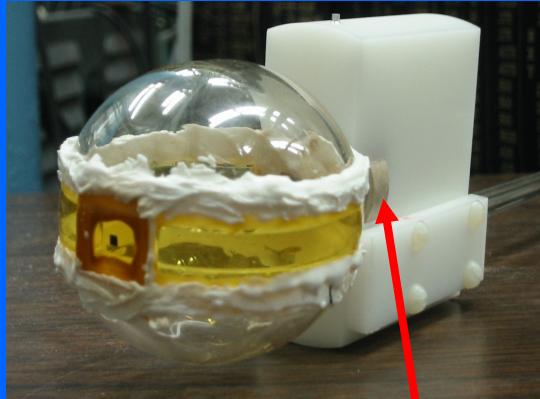
Polarized  $^3\text{He}$   
target inside  
sine-theta coil

Incident  
polarized proton  
beam direction

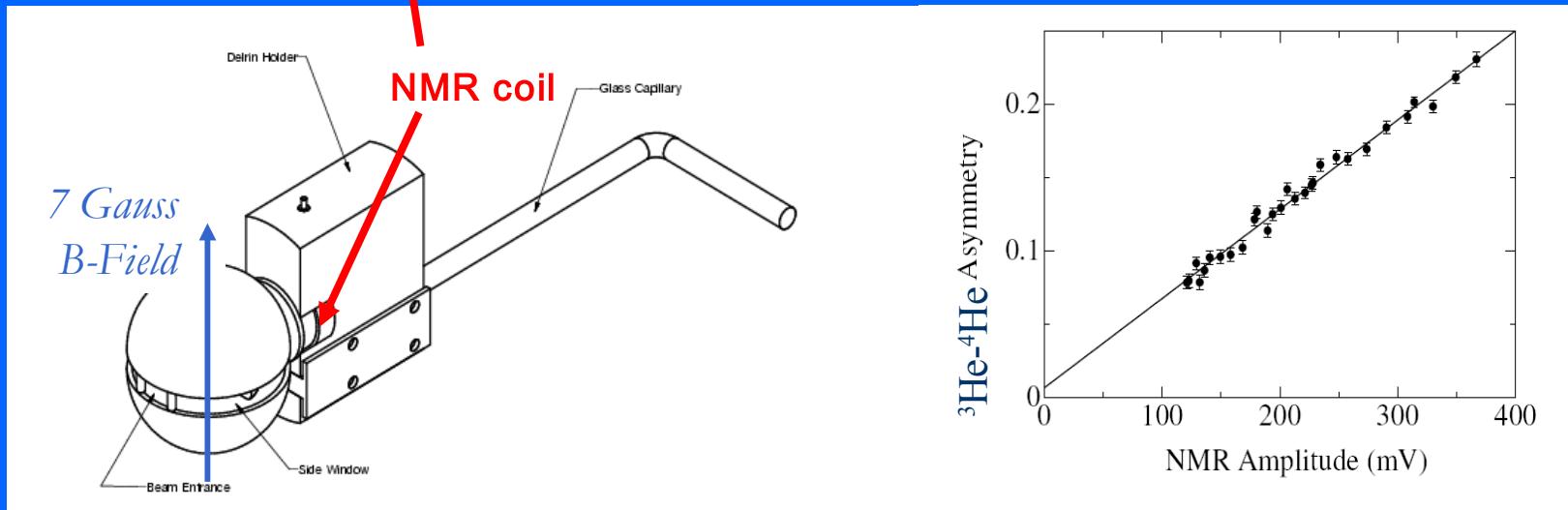


T. Katabuchi et al., Rev. Sci. Instrum. 76, 033503 (2005)

# Absolute $^3\text{He}$ Polarimetry



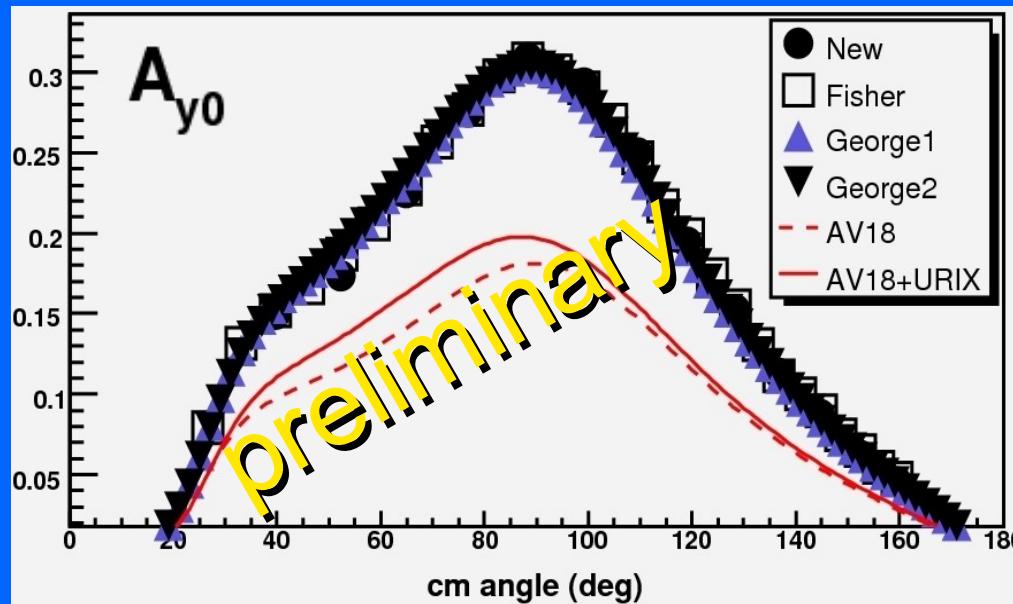
- Pyrex glass cell with Kapton windows
- $^3\text{He}$  pressure  $\sim 1 \text{ ATM}$ ;  $P \sim 25 \text{ to } 30\%$
- NMR to monitor  $^3\text{He}$  target polarization
- Calibrate NMR by  $^4\text{He} + ^3\text{He}$  scattering
- Polarization  $1/e$  lifetime  $\sim 2 \text{ hrs}$



Preliminary results for  $E_p = 3.16$  MeV

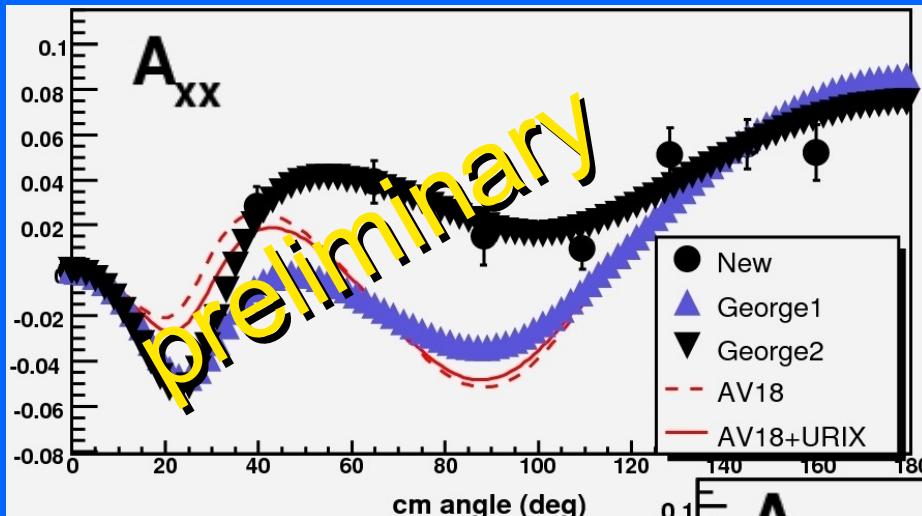
T. Daniels, Al, et al., PhD thesis, in preparation

## Data of Fisher used for normalization

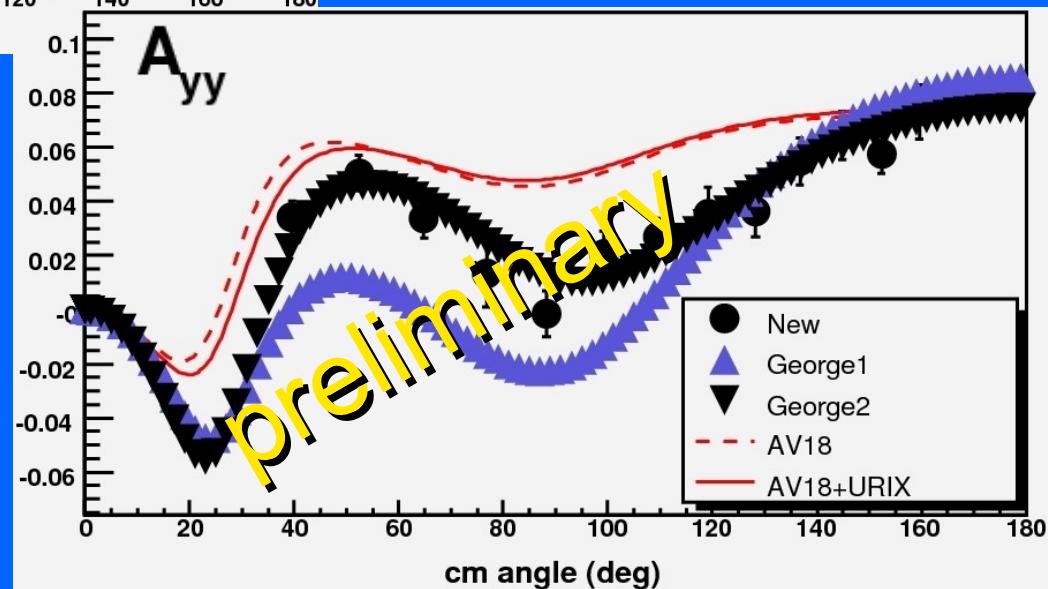


E. George, L. Knutson, PRC 67, 027001 (2003)

B. Fisher et al., PRC 74, 034001 (2006)

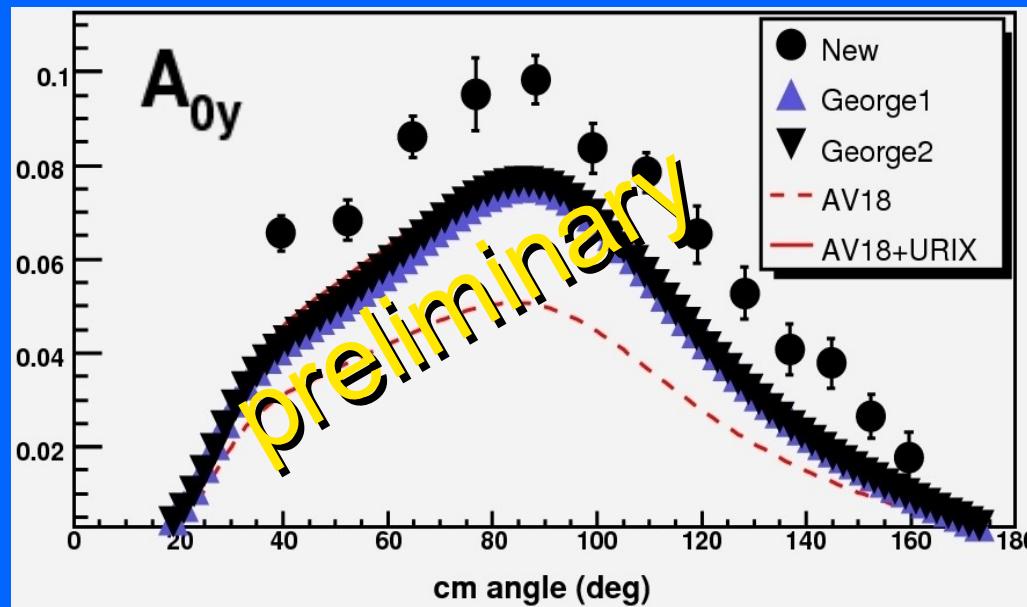


Preliminary results for  
 $E_p = 3.16 \text{ MeV}$



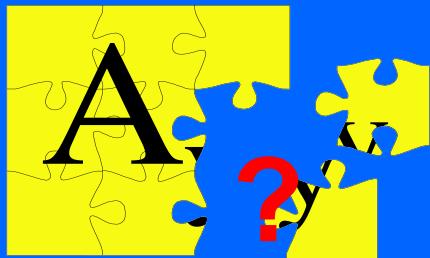
Preliminary results for  $E_p = 3.16$  MeV

Corrections are still to be made for systematic errors:  
Magnetic field shifts the proton beam



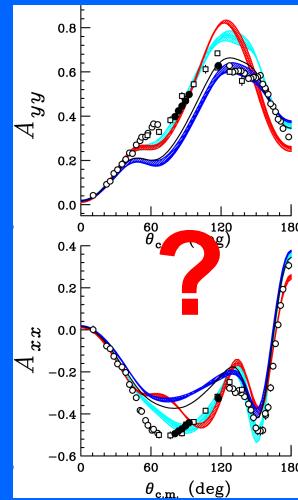


# summary

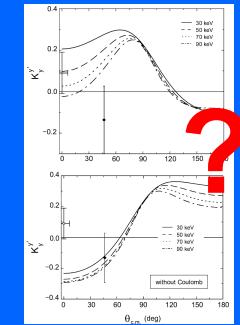


Many Observables  
have been measured

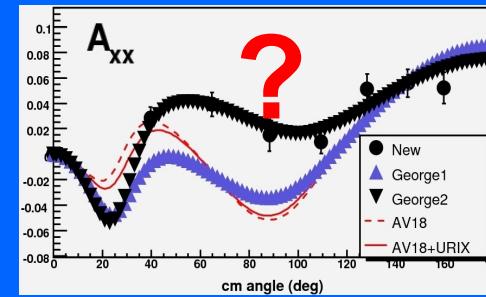
3N system ✓



4N system ✓



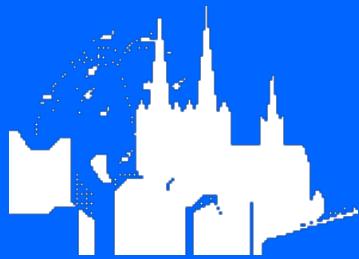
Theory ?



Further progress in theory is needed !

# *acknowledgments*

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